

# Supernova explosion of massive stars driven by hadron-quark phase transition and its signature

- Fischer, Bastian, MRW, Baklanov, Sorokina, Blinnikov, Typel, Klähn, Blaschke, Nature Astron. 2 (2018) 12, 980, arXiv:1712.08788
- Fischer, MRW, Wehmeyer, Bastian, Martínez-Pinedo, Thielemann, ApJ 894 (2020) 9, arXiv:2003.00972

Meng-Ru Wu (Institute of Physics, Academia Sinica)

QCD Theory Seminar JP, KEK–YITP–Keio, 06/22/2020



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NCTS

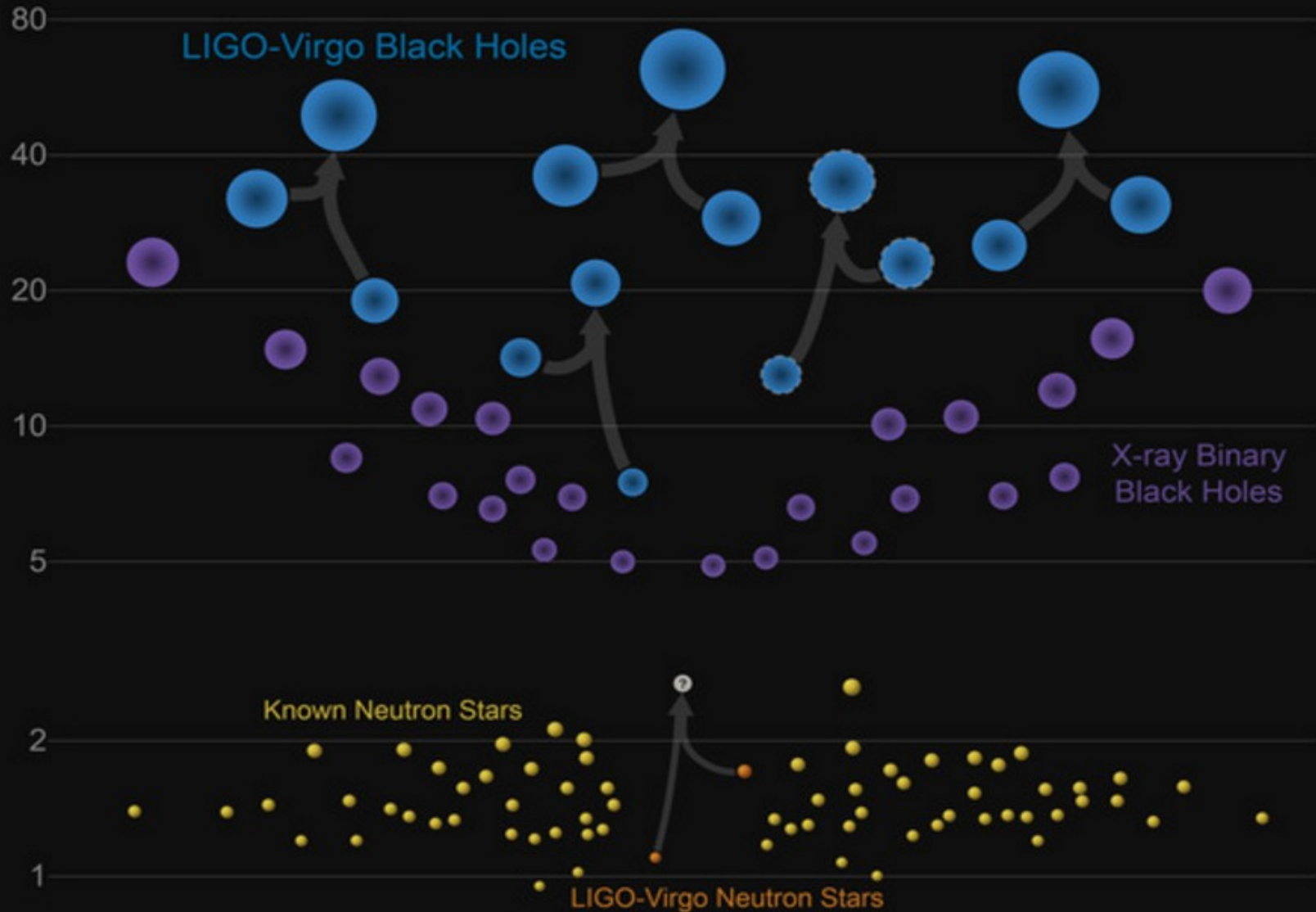
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Ministry of Science and Technology

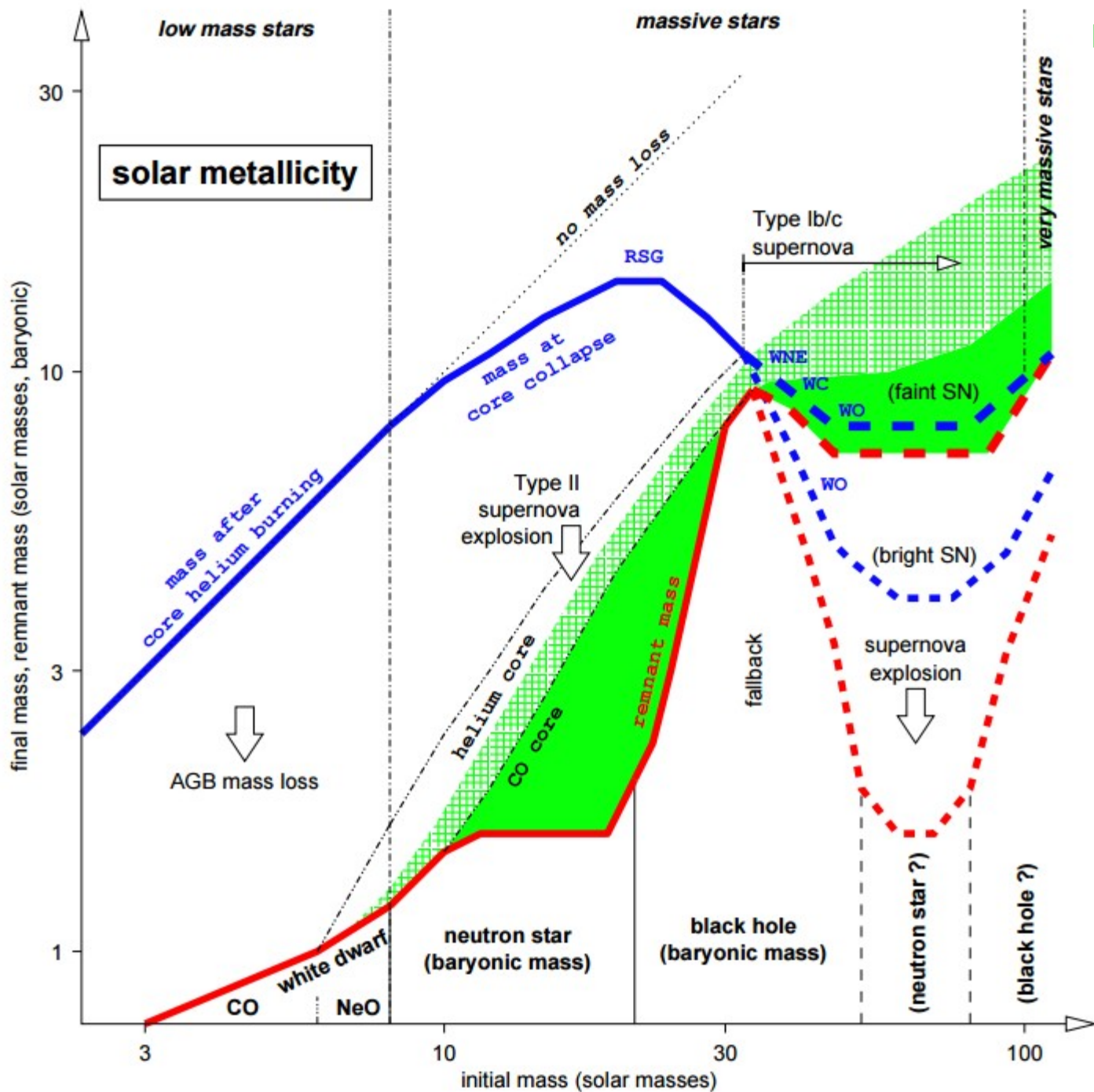
## Outline

- Introduction
- Equation of state including a quark-hadron phase-transition (QHPT)
- Supernova explosion of massive stars due to QHPT
- Heavy element production by QHPT supernovae
- Summary

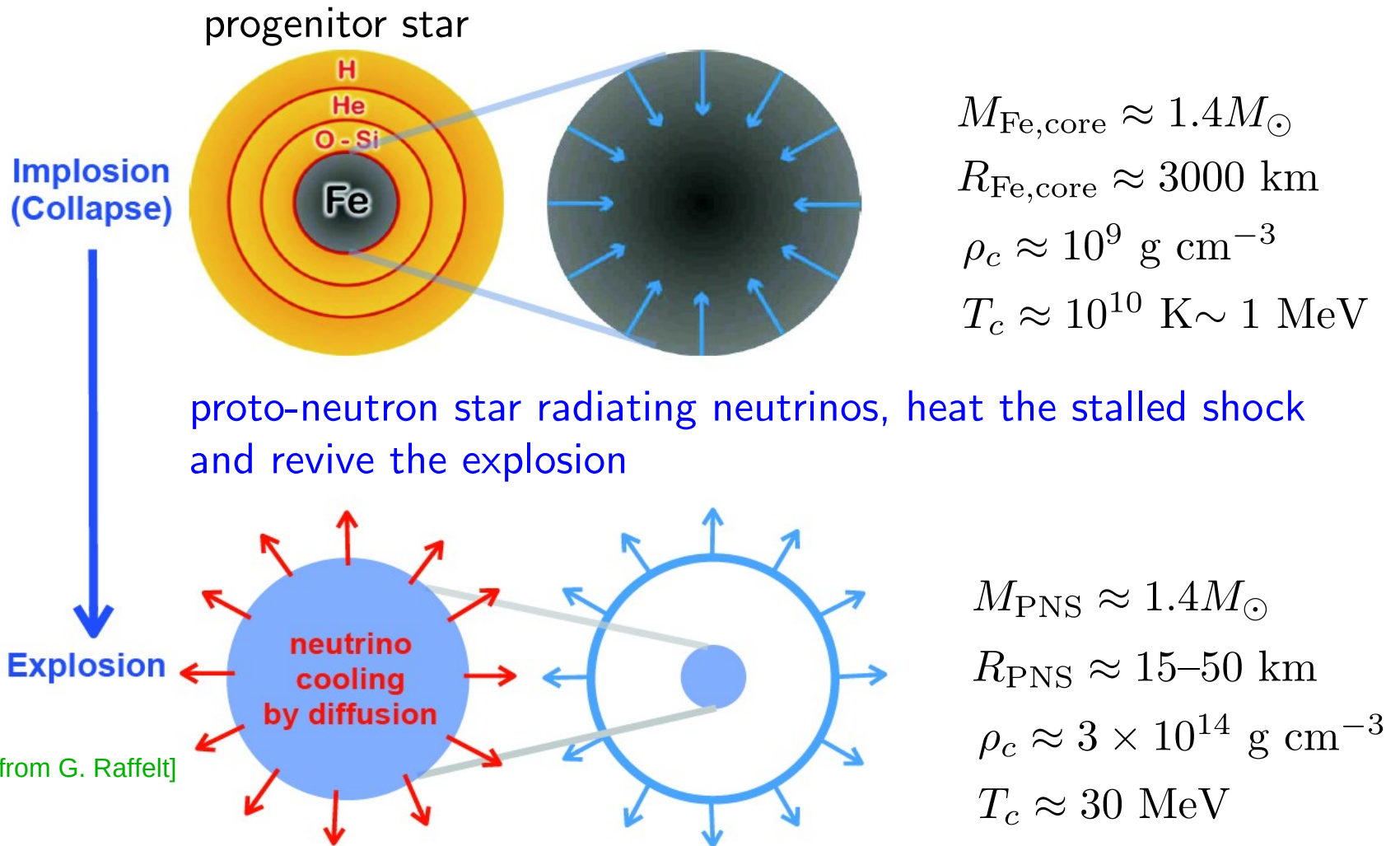
# Masses in the Stellar Graveyard

*in Solar Masses*





# Supernova explosion: turning implosion into explosion



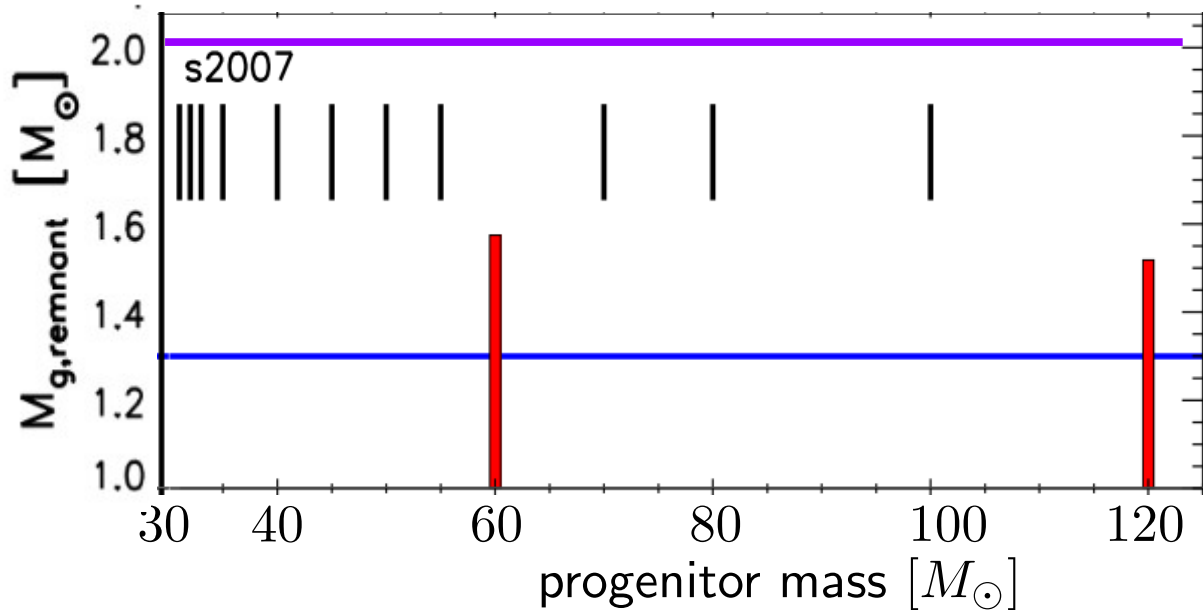
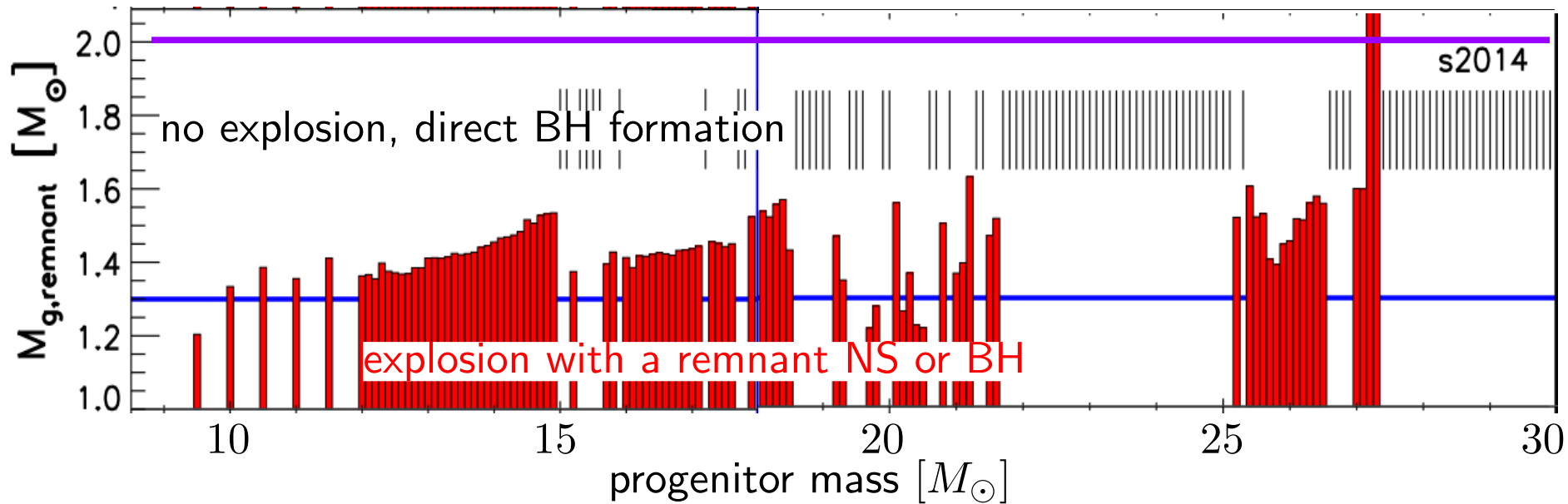
[Figure from G. Raffelt]

energy release:

$$E_{\gamma} \sim 10^{49} \text{ erg}, E_{\text{GW}} \sim 10^{46} \text{ erg}, E_{\text{kinetic}} \sim 10^{51} \text{ erg}, E_{\nu} \sim 10^{53} \text{ erg}.$$

observed most massive NS of  $\approx 2M_{\odot}$

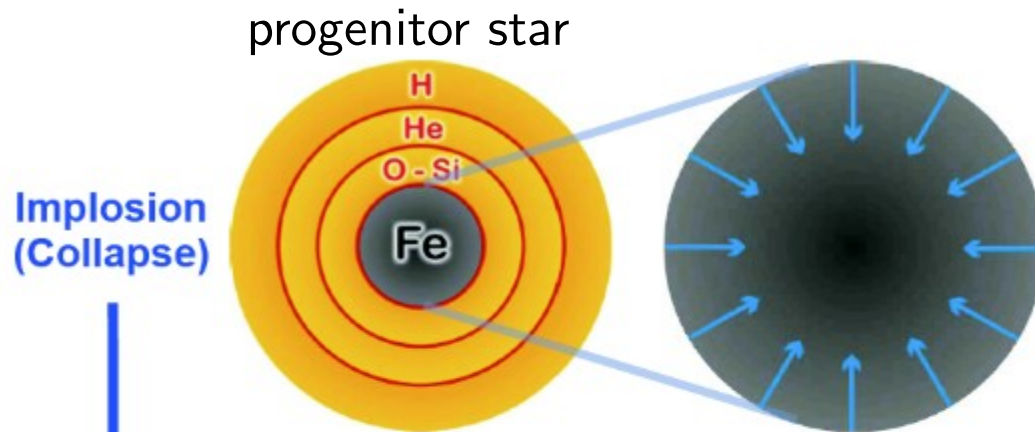
[Ertl+ 2016]



\*\*assuming  $\nu$ -driven explosion:

- no  $2M_{\odot}$  NS formed
- hard to explode massive stars

## Alternative case...



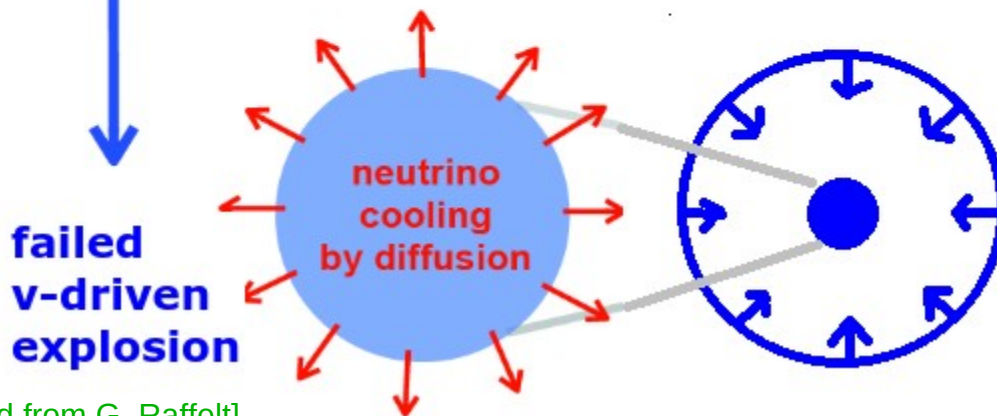
$$M_{\text{Fe,core}} \approx 1.4M_{\odot}$$

$$R_{\text{Fe,core}} \approx 3000 \text{ km}$$

$$\rho_c \approx 10^9 \text{ g cm}^{-3}$$

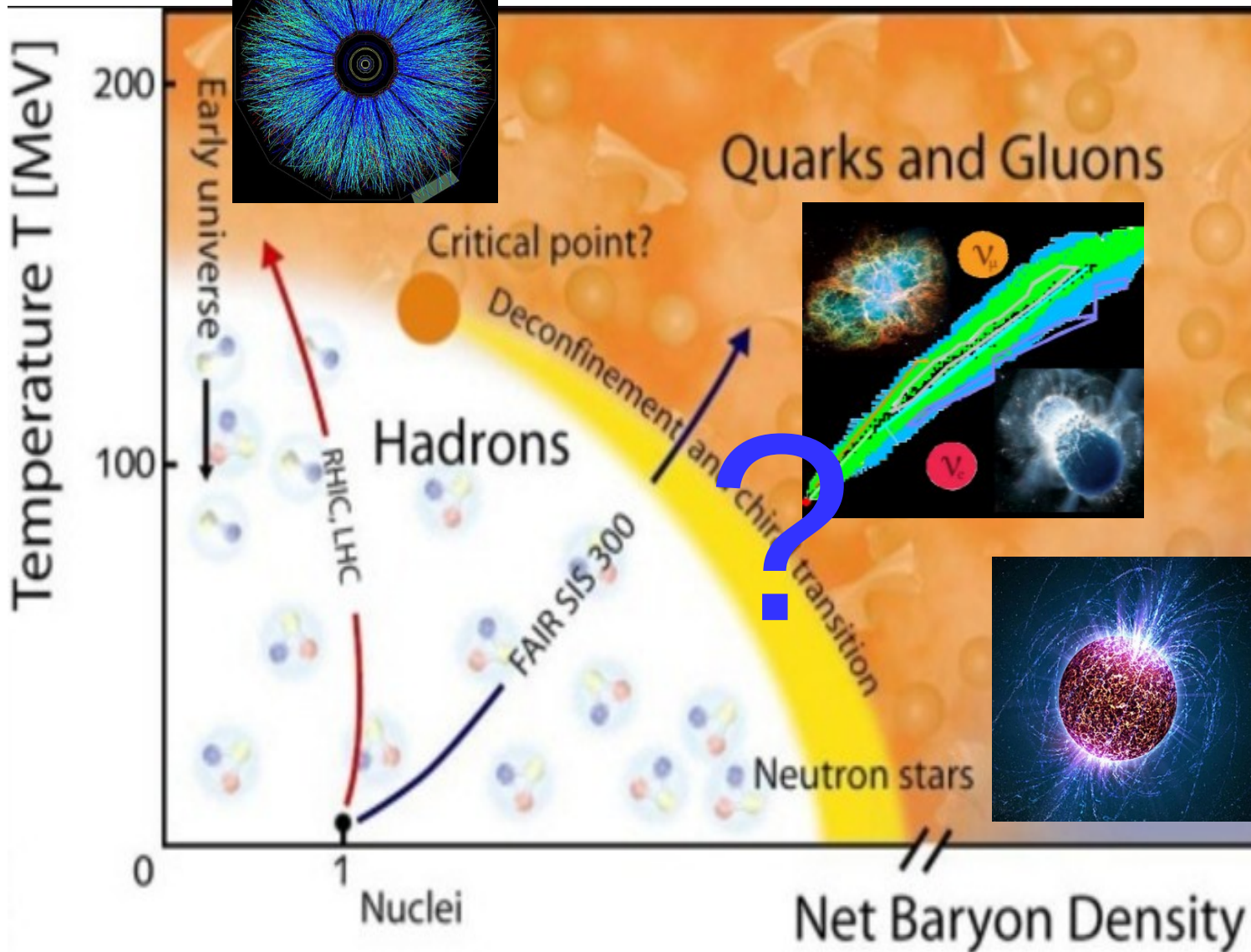
$$T_c \approx 10^{10} \text{ K} \sim 1 \text{ MeV}$$

if the mass accretion rate is too high, neutrinos failed to deposit enough energy to revive the shock, accretion can continue...



to a black hole?  
or something else?

[Modified from G. Raffelt]





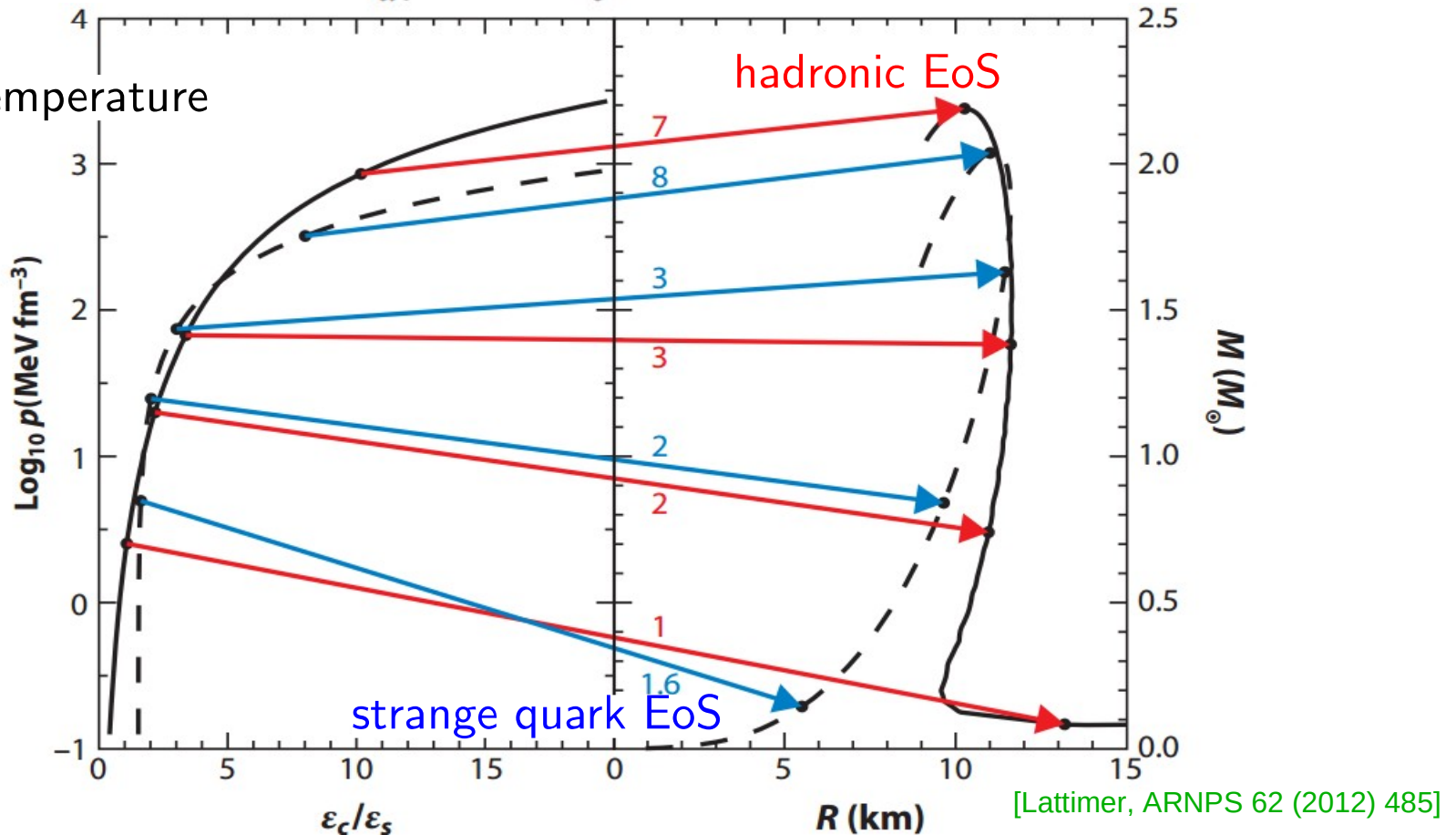
Equation of state including a quark-hadron phase-transition

# Nuclear equation of state & neutron star

Hydrostatic equilibrium: 
$$\frac{dp}{dr} = -\frac{G}{c^2} \frac{(p + \varepsilon)(m + 4\pi r^3 p/c^2)}{r(r - 2Gm/c^2)},$$
 (TOV equation)

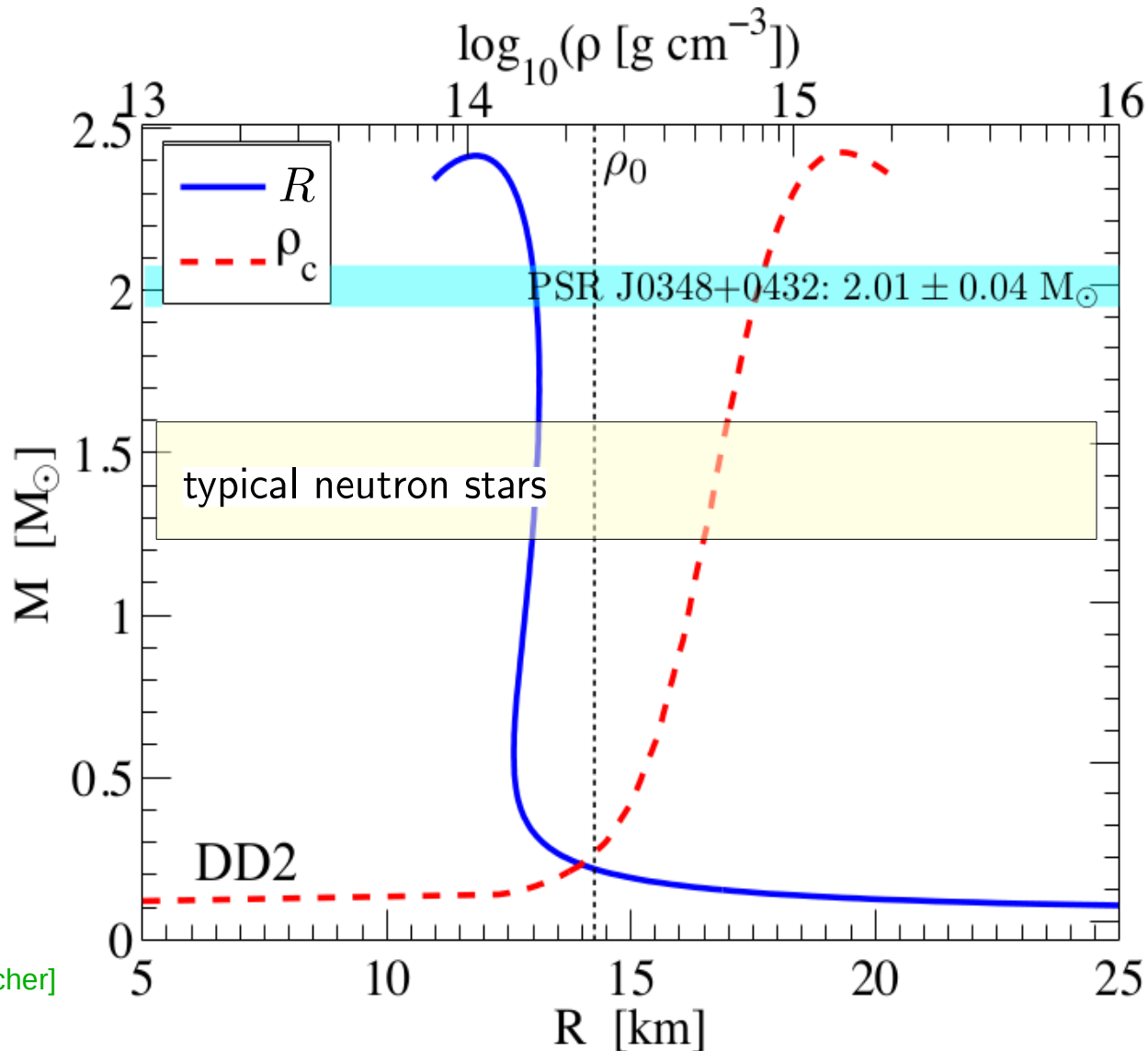
$$\frac{dm}{dr} = 4\pi r^2 \frac{\varepsilon}{c^2},$$

\*\*zero temperature



each pressure-energy density relation gives one neutron star mass-radius relation

# Nuclear equation of state & neutron star



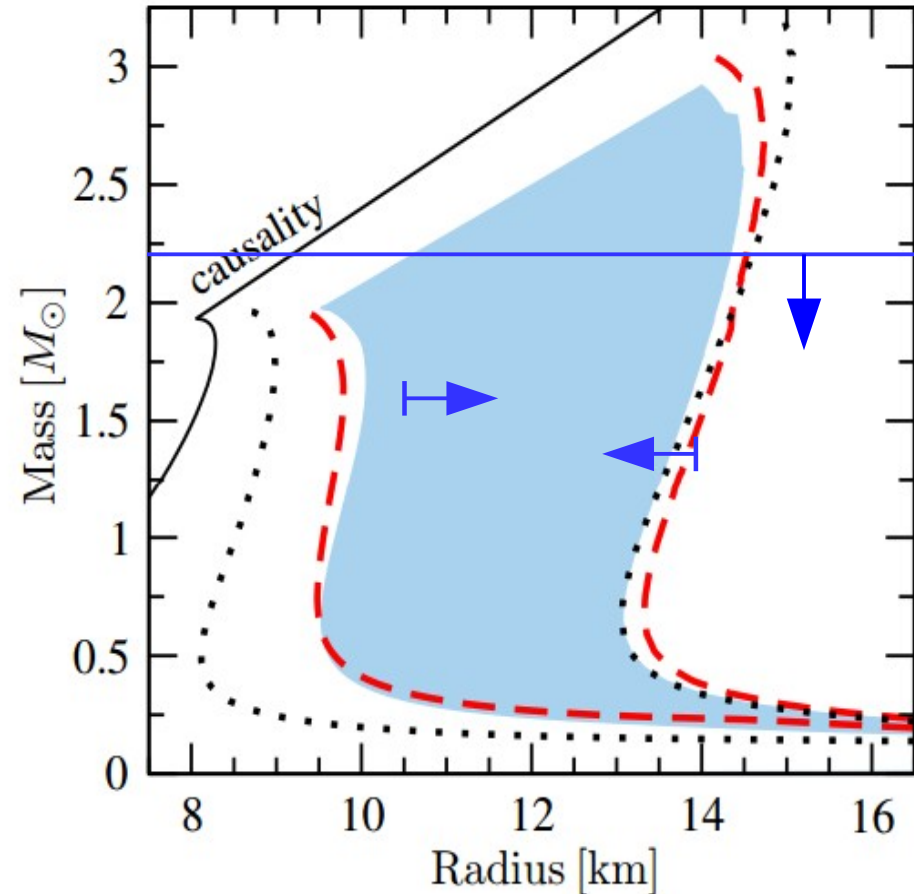
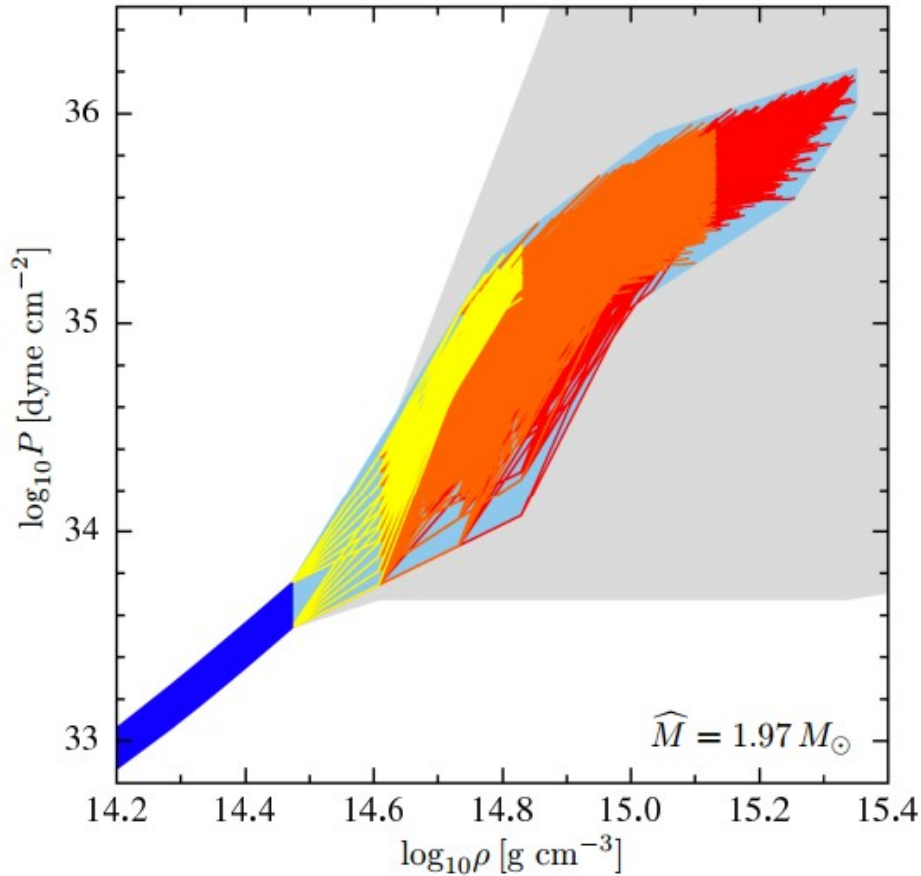
[from T. Fischer]

typical  $1.35 M_{\odot}$  NS has central mass density  $\lesssim 5 \times 10^{14}$  g/cm<sup>3</sup>, a heavier NS may reach higher density

# Nuclear equation of state & neutron star

current constraint based on extrapolation from chiral effective field theory + the existence of  $2 M_{\odot}$  NS + causality

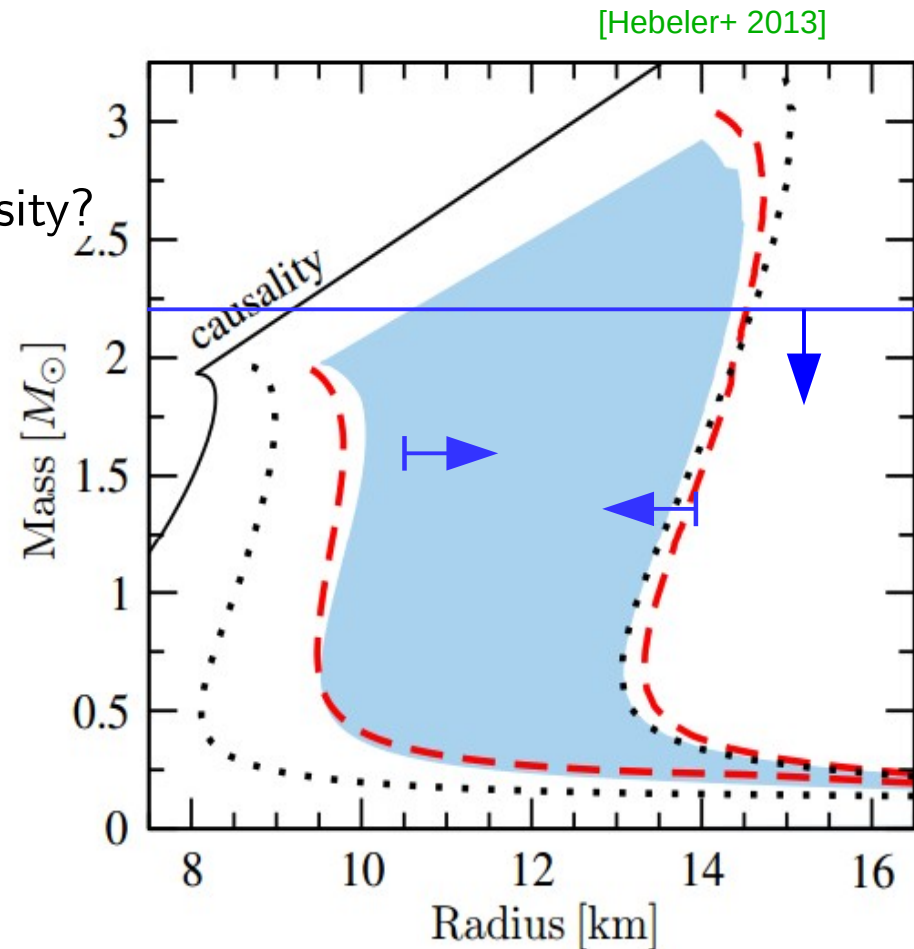
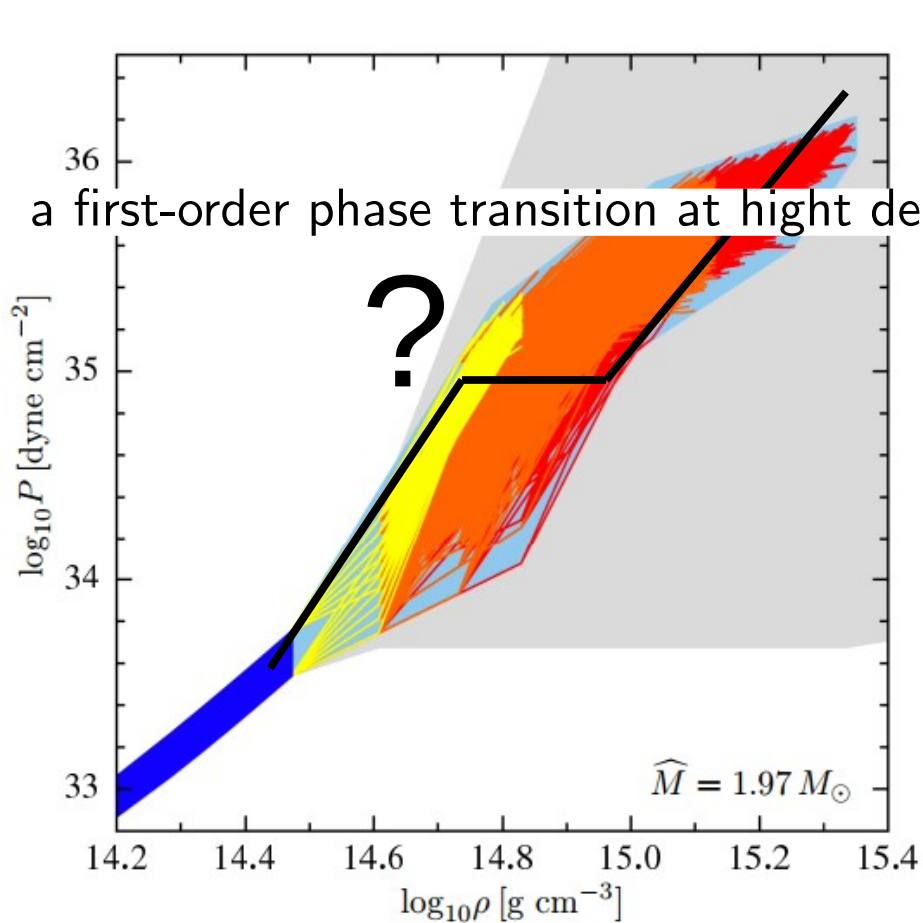
[Hebeler+ 2013]



\*\*bounds from GW170817

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## Constructing hadron-quark phase transition

Effective Lagrangian with couplings determined by experiments or with prescribed interaction potentials

→ compute the mean-field potential and effective mass for the single-particle or the quasiparticle

→ derive the resulting thermodynamic properties

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hadronic EoS (DD2): [\[TypeI+ 2009\]](#)

- relativistic mean-field model, effective meson-exchange interactions
- couplings fixed by low energy nuclear experiments, satisfy all known constraints

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quark matter EoS: [Kaltenborn+ 2017]

- relativistic mean-field model with effective quark interaction potential

$$\mathcal{L}_{\text{eff}} = \mathcal{L}_{\text{free}} - U(\bar{q}q, \bar{q}\gamma_0q), \quad \mathcal{L}_{\text{free}} = \bar{q} \left( -\gamma_0 \frac{\partial}{\partial \tau} + i\vec{\gamma} \cdot \vec{\nabla} - \hat{m} \right) q,$$

$$U(\bar{q}q, \bar{q}\gamma_0q) = U(n_s, n_v) + (\bar{q}q - n_s)\Sigma_s + (\bar{q}\gamma_0q - n_v)\Sigma_v + \dots,$$

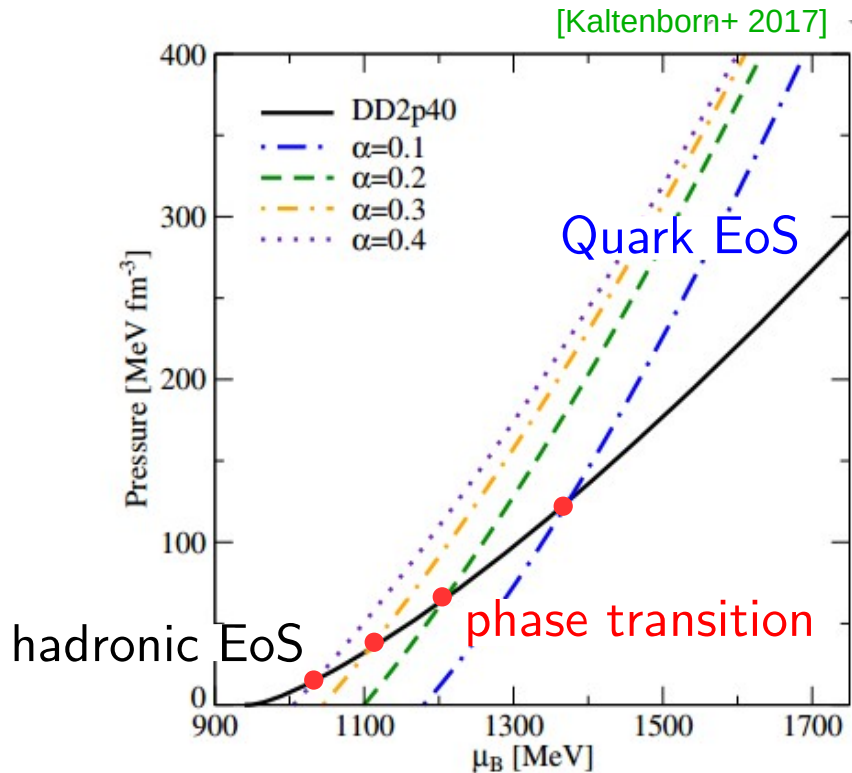
$$U(n_s, n_v) = \underbrace{D(n_v)n_s^{2/3}}_{\text{confinement potential}} + \underbrace{an_v^2 + \frac{bn_v^4}{1 + cn_v^2}}_{\text{high density repulsion}} \cdot \underbrace{D(n_v)}_{\text{high density deconfinement}} = \frac{D_0 e^{-\alpha(n_v - n_{\text{sat}})^2}}{1 + cn_v^2} \text{ for } n_v > n_{\text{sat}}$$

confinement potential      high density repulsion      high density deconfinement



# Constructing hadron-quark phase transition

for a given chemical potential, an EoS with higher pressure is selected to minimize the thermodynamic potential

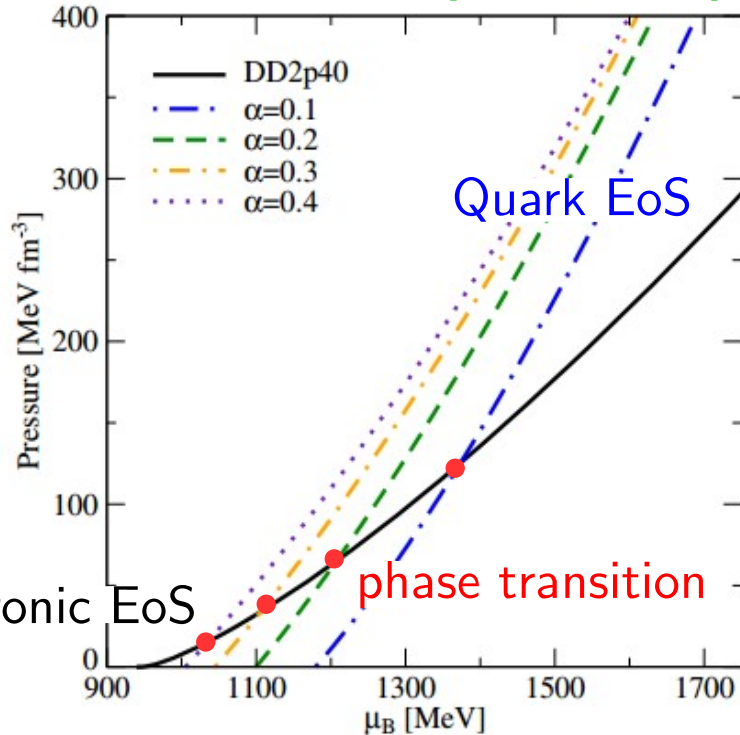


$$\begin{aligned} a &= -2 \text{ MeV fm}^3 & c &= 0.036 \text{ fm}^6 \\ b &= 2.0 \text{ MeV fm}^9 & D_0 &= (240 \text{ MeV})^2 \end{aligned}$$

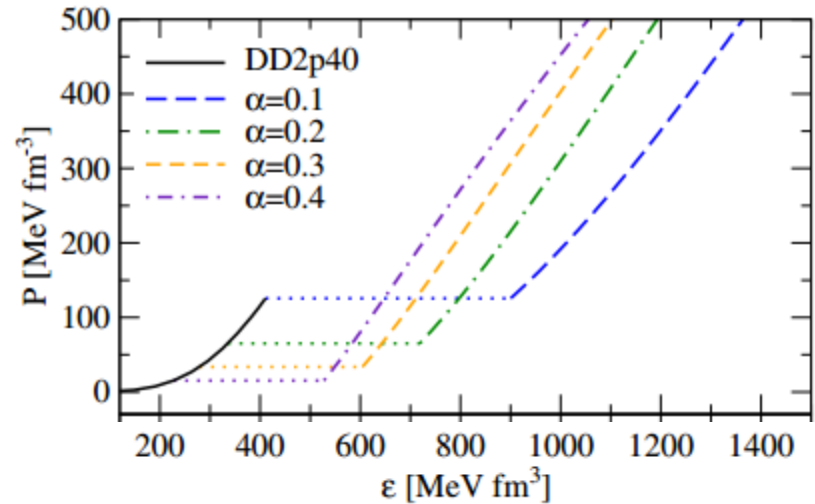
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[Kaltenborn+ 2017]



resulting  $P(\rho)$  relation:

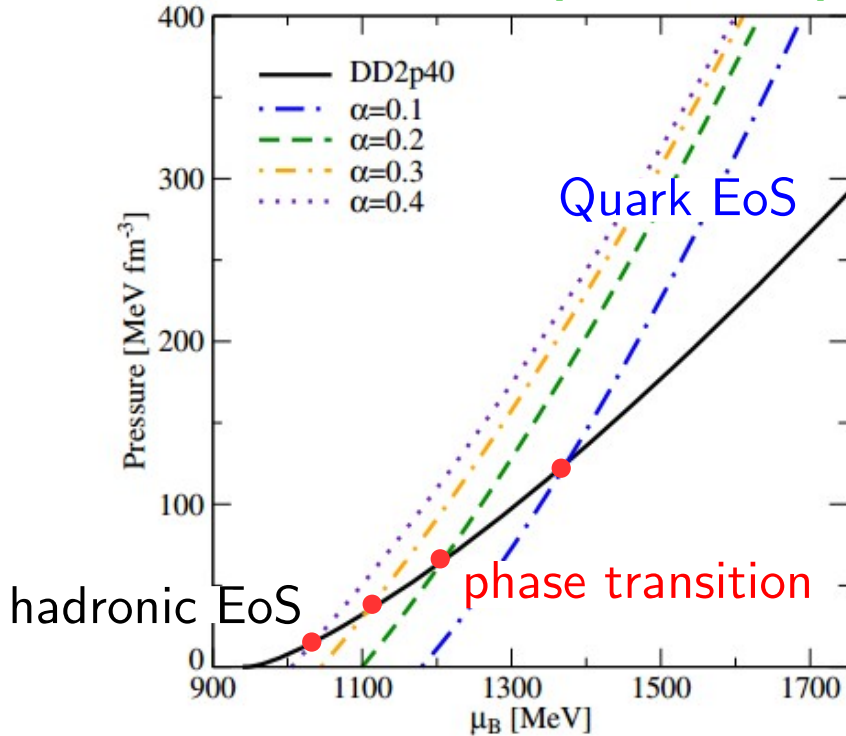


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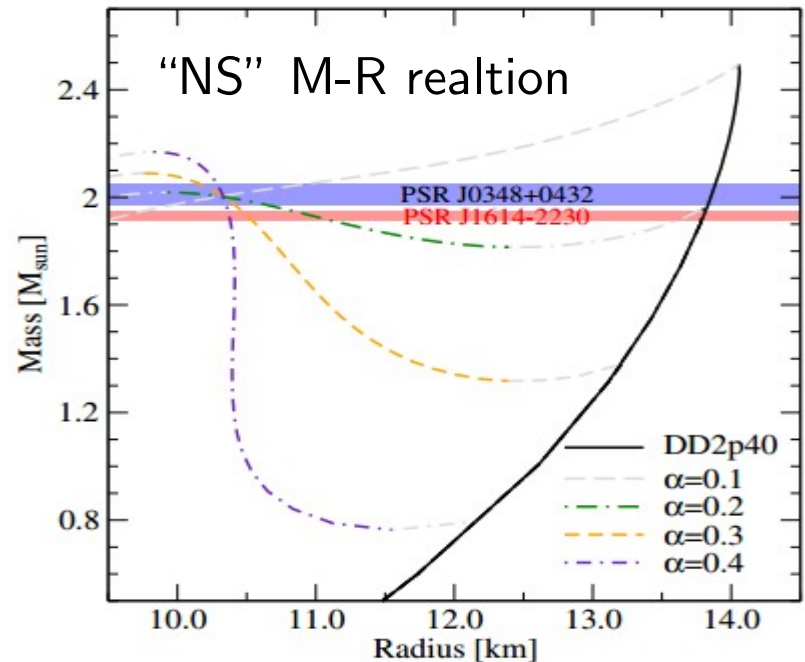
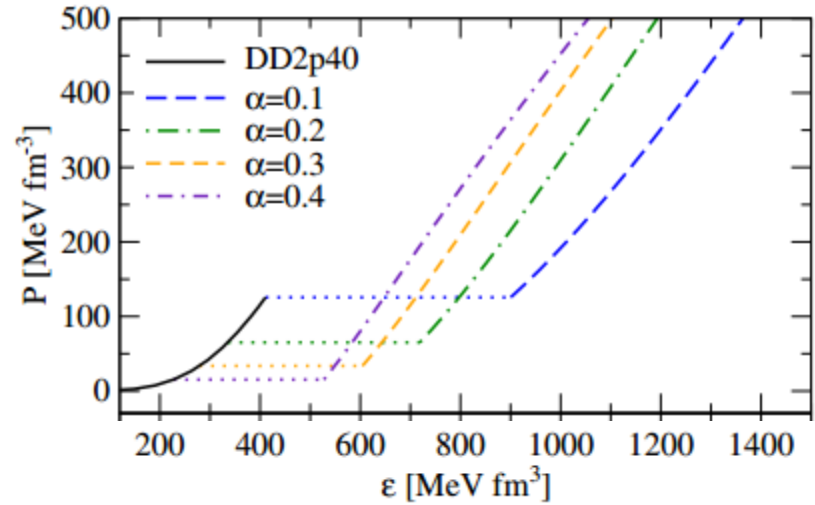
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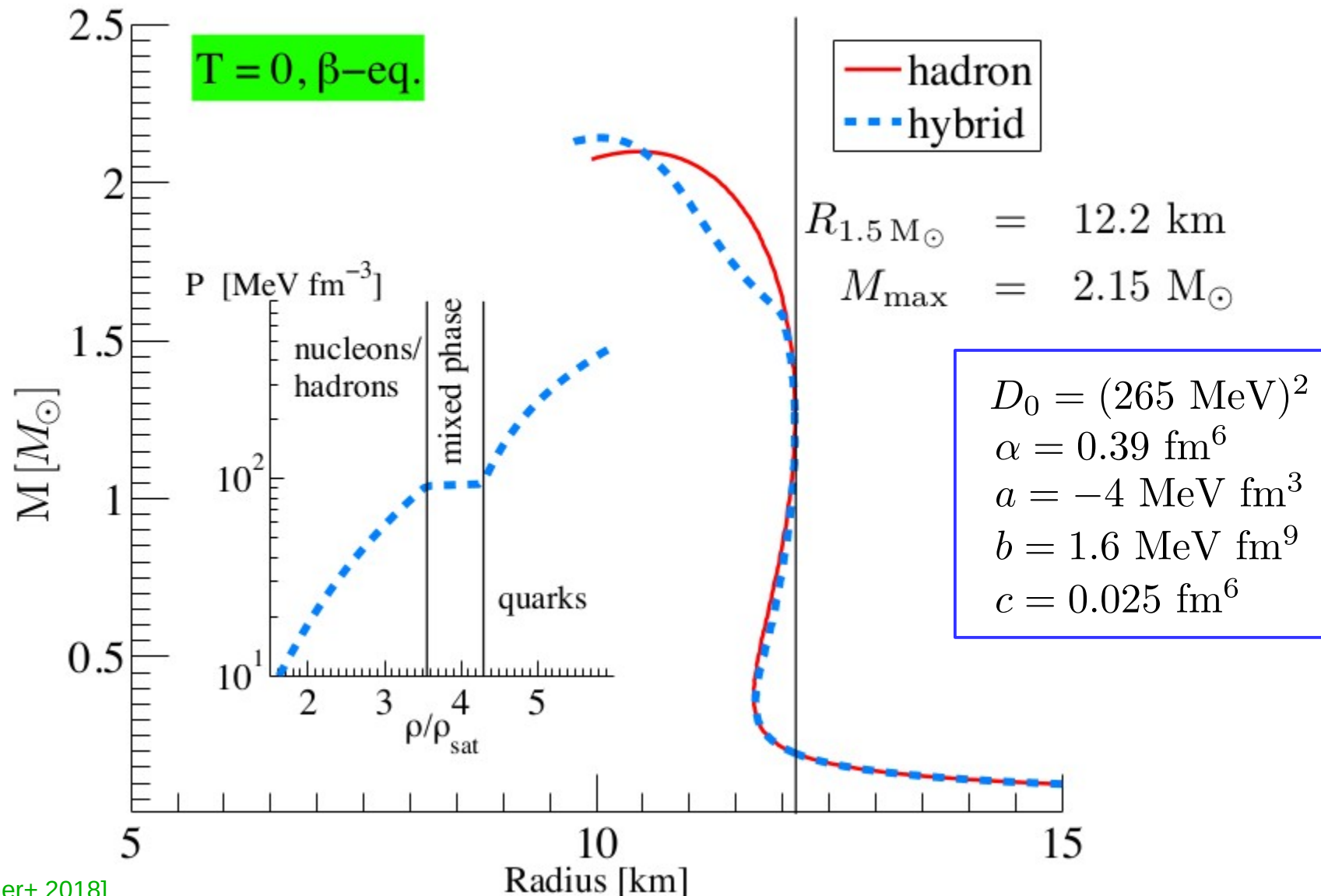


$$a = -2 \text{ MeV fm}^3 \quad c = 0.036 \text{ fm}^6$$

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# Constructing hadron-quark phase transition

A hybrid EoS that satisfies all known constraints



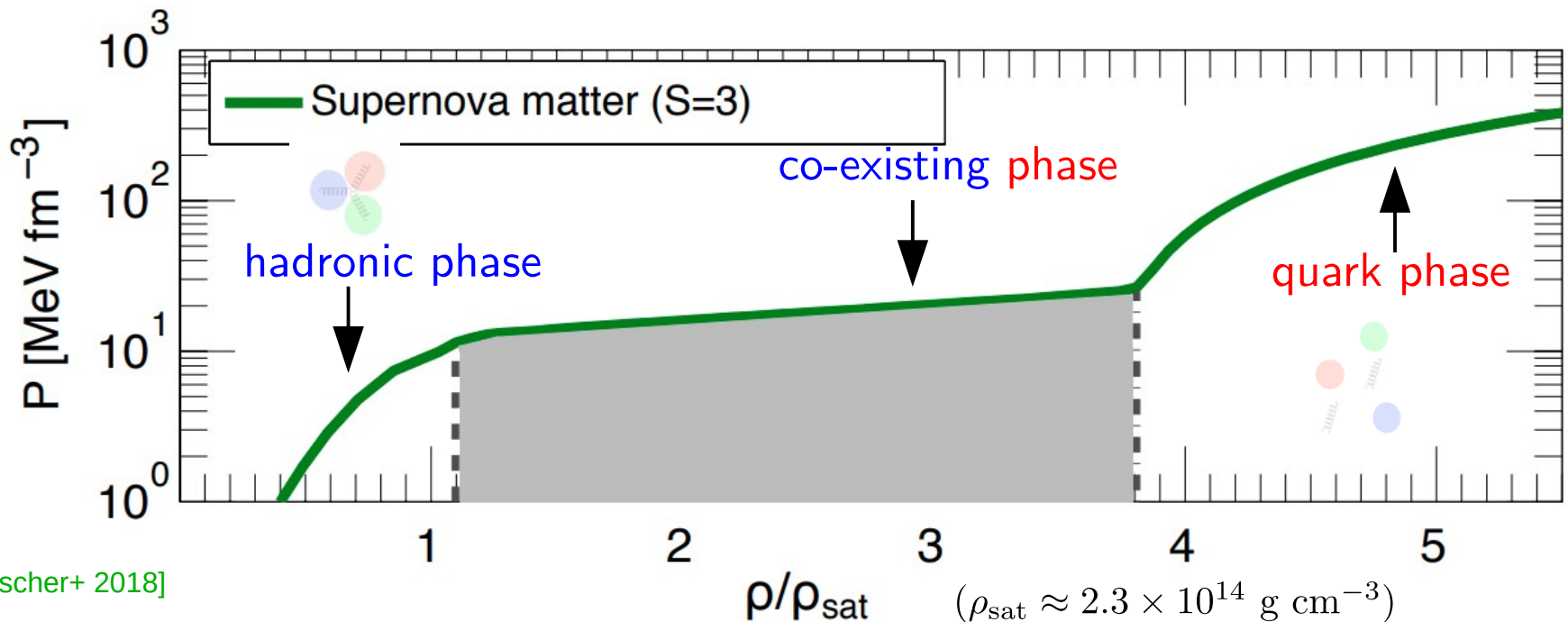
Supernova explosion of massive stars due to QHPT

# Supernova explosion with hadron-quark phase transition?

Prevalent supernova theory predicts that most of the CCSNe are powered via the neutrino-driven mechanism aided by multi-dimensional fluid motion.

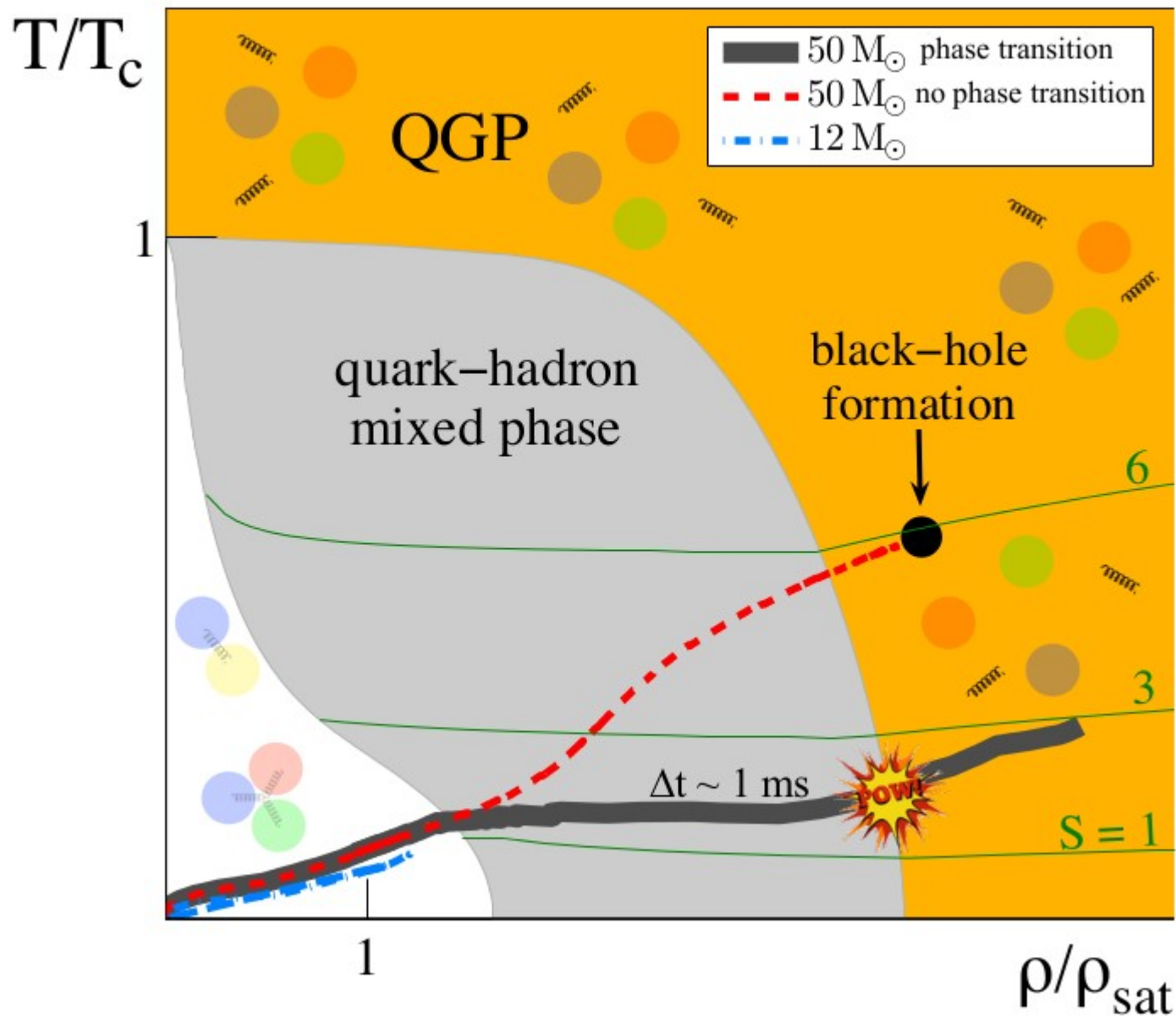
Other possibilities:

- magneto-rotational supernovae [Winteler+ 2012, Moesta+ 2014,...]
- collapse-induced thermonuclear burning [Kushnir+ 2015]
- **quark-hadron phase transition** [Takahara+ 1988, Sagert+ 2009, Fischer+ 2018]



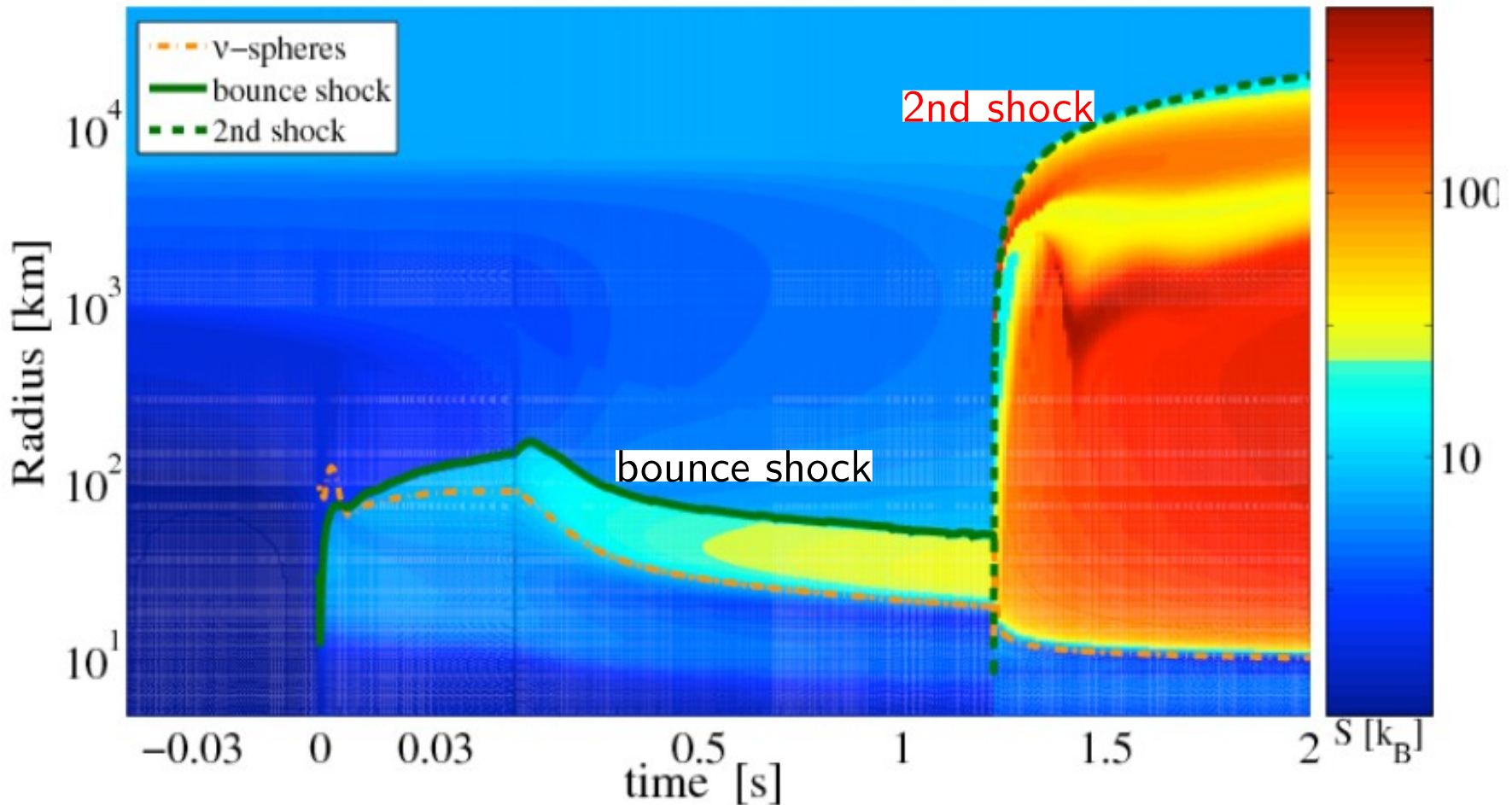
# Supernova explosion with hadron-quark phase transition?

[Fischer+ 2018]



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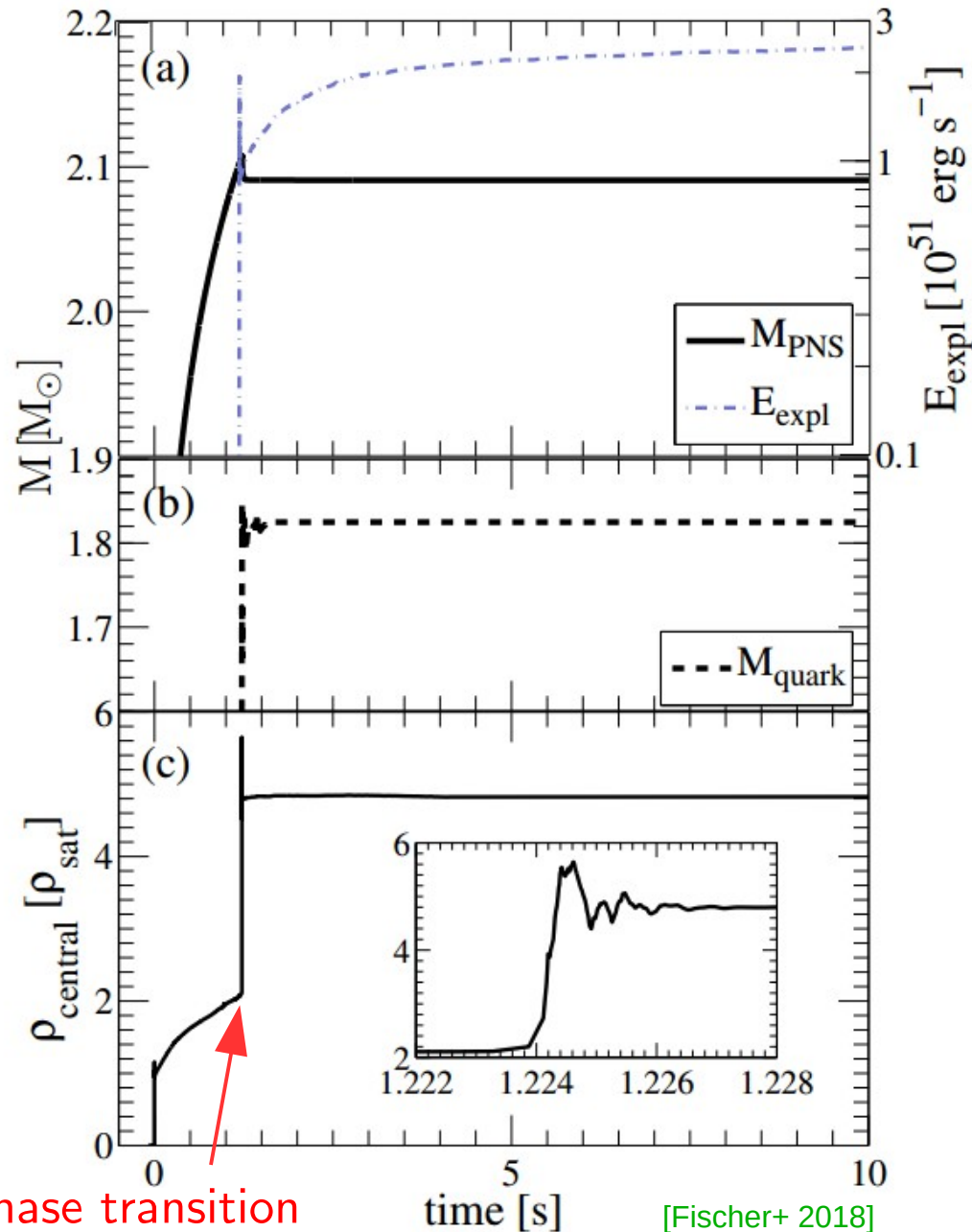


when a 1st order phase transition occurs, the PNS goes through a second collapse, until the central density reaches the quark matter density

→ a second shock wave is generated due to the core stiffens after the transition



# Supernova explosion with hadron-quark phase transition?



phase transition

[Fischer+ 2018]

- very strong shock due to the short dynamical timescale  $\sim 1$  ms

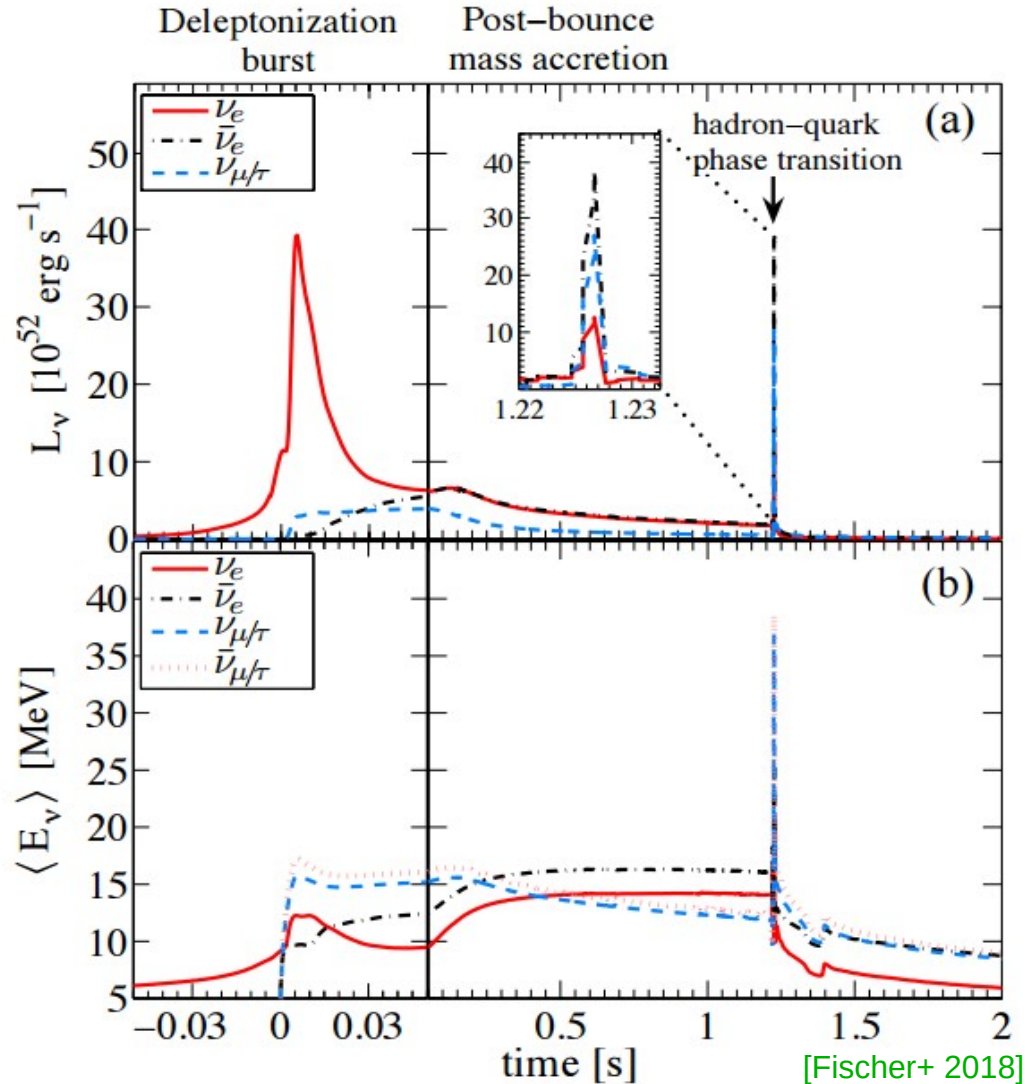
- large explosion energy  $\sim 3 \times 10^{51}$  erg

- results in a  $\sim 2 M_{\odot}$  hybrid star containing  $\sim 1.8 M_{\odot}$  quark core

→ origin of the observed heavy “neutron stars”?

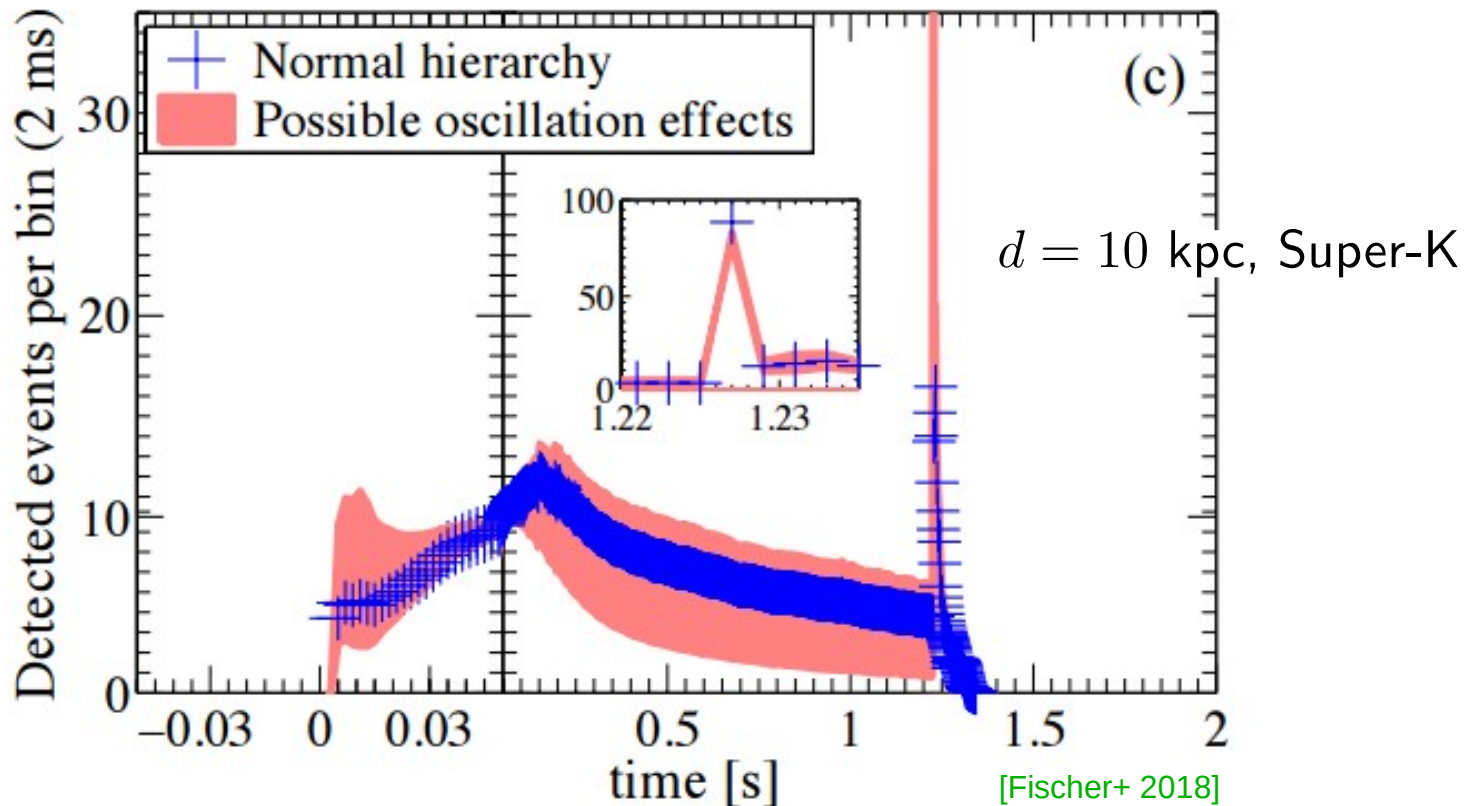
## Observational signatures?

As the shockwave swipes through the outer part of the PNS, it releases a millisecond neutrino burst in ALL flavors:



## Observational signatures?

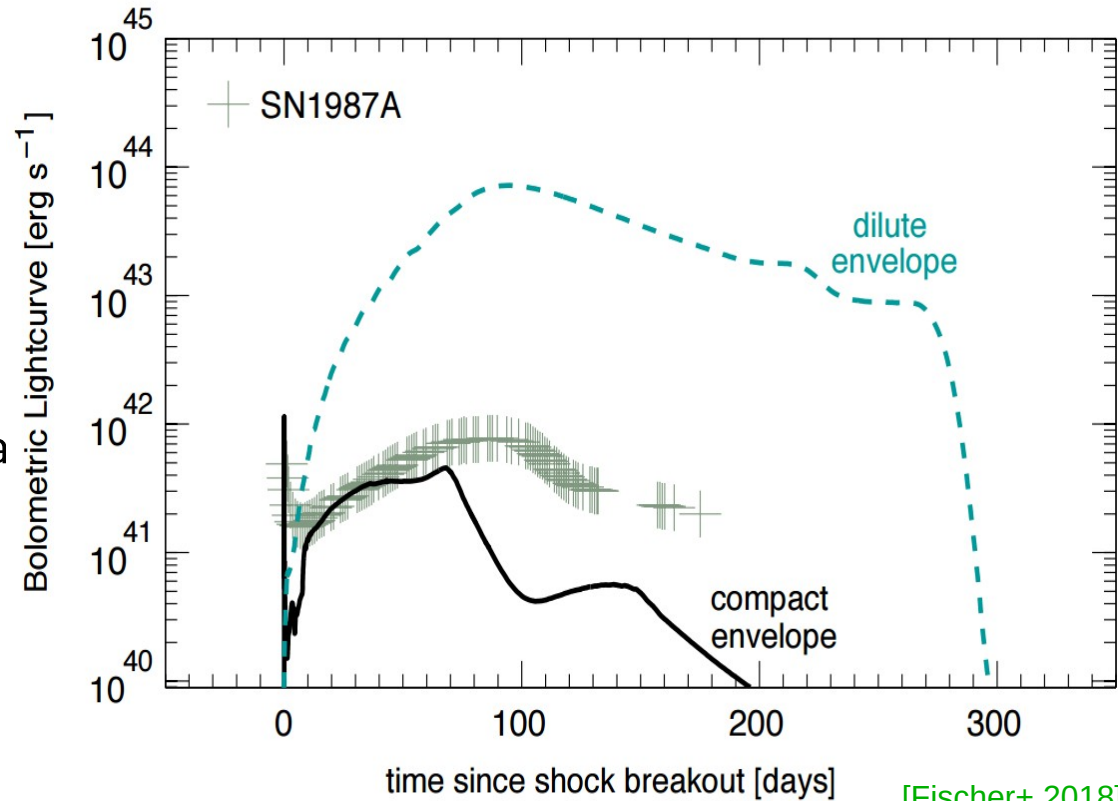
As the shockwave swipes through the outer part of the PNS, it releases a millisecond neutrino burst in ALL flavors:



Can be detected for a Milky Way event with kiloton neutrino detectors, independent of how flavor oscillations happen

## Observational signatures?

- the resulting EM lightcurve depends on how the progenitor envelopes were dispelled during the stellar evolution
- At least as bright as SN1987A, can possibly produce a hypernova or superluminous supernova if there is large mass loss right before the explosion

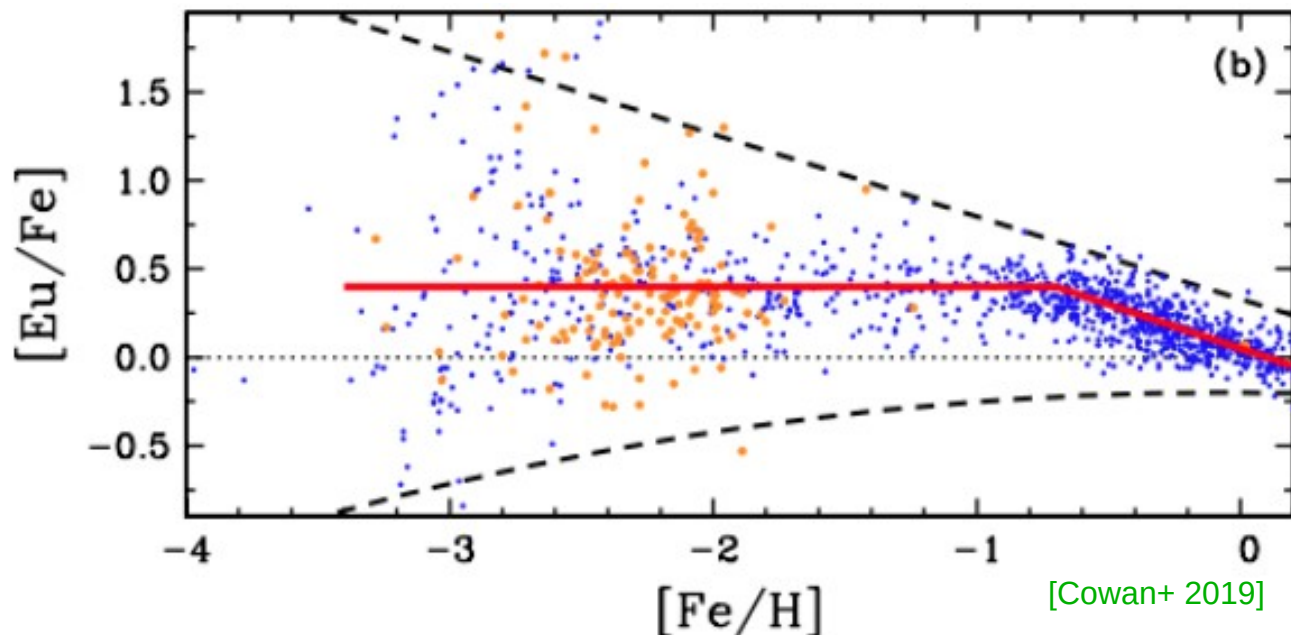


Heavy element production by QHPT supernovae

## Do we need massive stars as $r$ -process sources?

The discovery of binary neutron star merger event 170817 suggested that the mergers are likely sources producing  $r$ -process nuclei heavier than iron.

However,  $r$ -process element production associated with massive stars may still be needed to address the enrichment of  $r$ -elements (e.g., Eu) at low metallicity, the observed diversity in abundance patterns of metal-poor stars, the decreasing trend of  $[\text{Eu}/\text{Fe}]$  at high metallicity, and the potential association of  $^{244}\text{Pu}$  with  $^{60}\text{Fe}$  from deep sea measurement



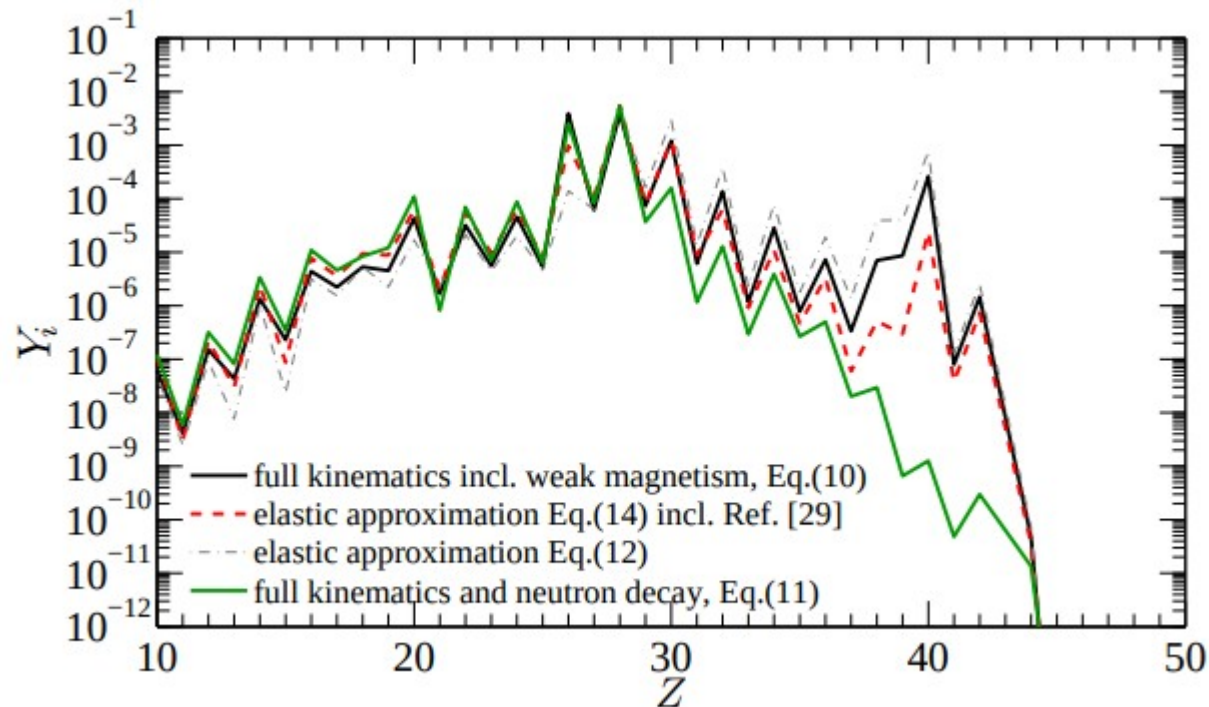
## Do we need massive stars as $r$ -process sources?

The conditions in the neutrino-driven wind from typical proto-neutron stars born after supernova explosion only allow the production of elements up to  $Z \sim 40$ , due to:

[Wanajo+, Martinez-Pinedo+, Arcones+, ...]

(i) too high  $Y_e \equiv n_e/n_{\text{nucleon}} \sim 0.45 - 0.55$

(ii) too low entropy  $\lesssim 100 k_B$  per nucleon



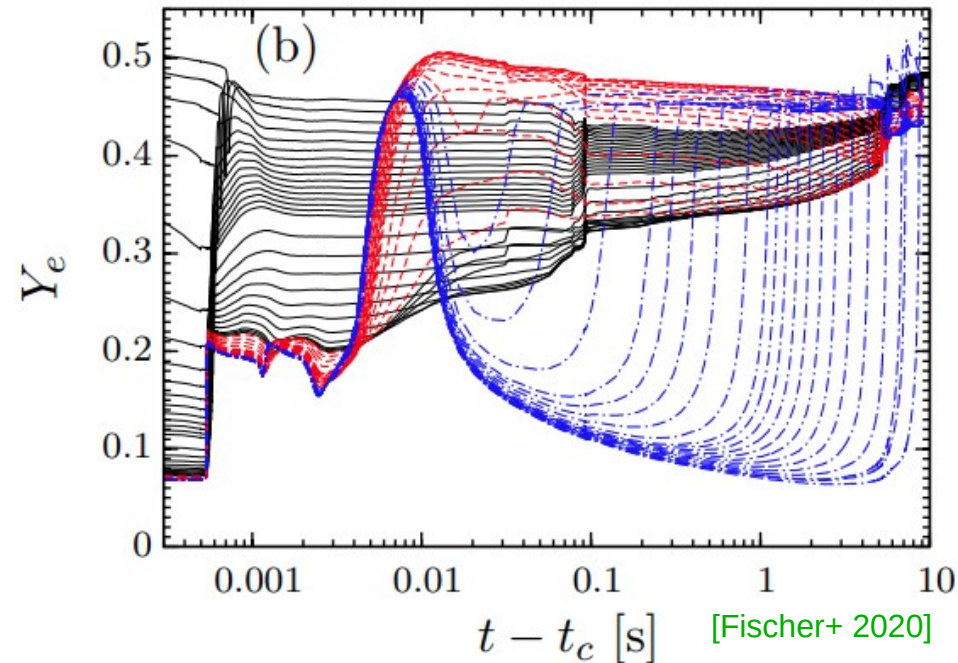
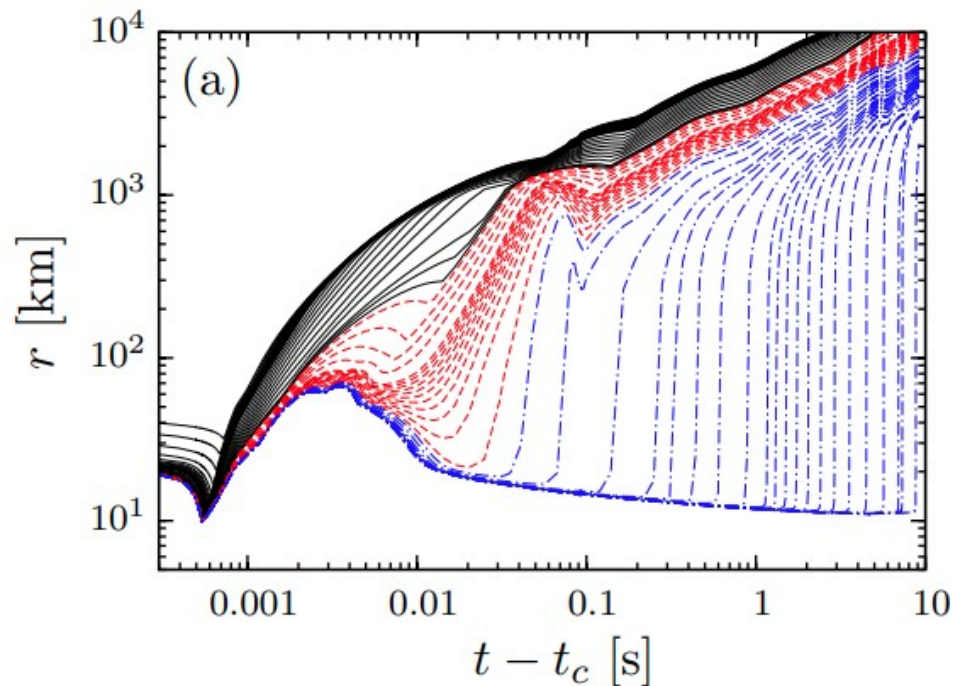
[Fischer+ 2020]

# Remnant property from phase-transition SNe (PTSNe)

The QHPT-SN can produce conditions more favorable for the  $r$ -process:

(i) a strong second shock:

→ faster expanding ejecta with lower  $Y_e$  at early times



( $40M_{\odot}$  model)

direct, intermediate, and  $\nu$ -driven



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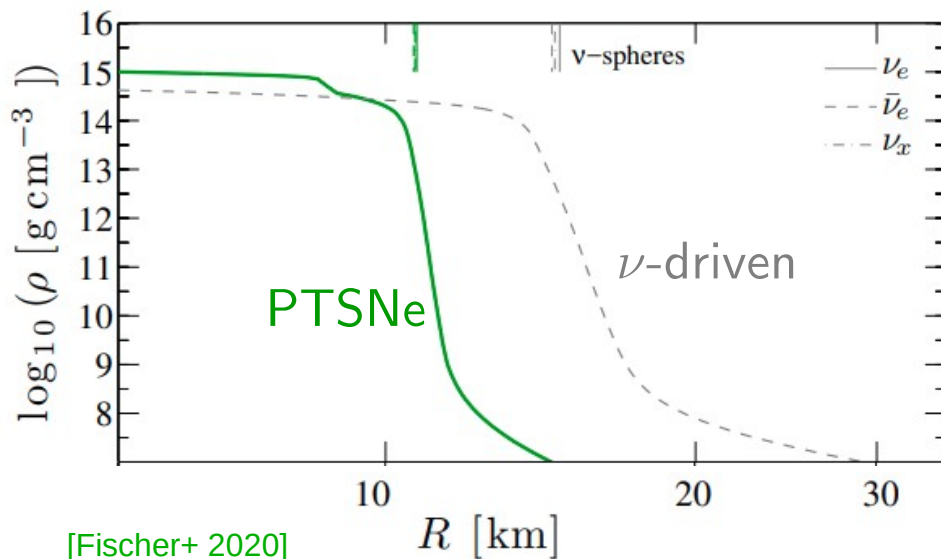
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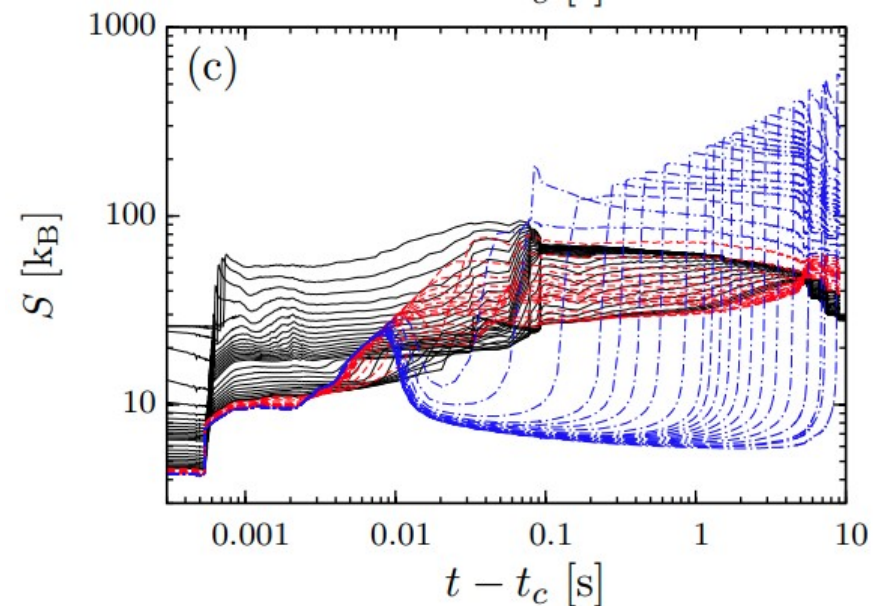
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(ii) a more compact proto-neutron star:

→ a higher entropy in the neutrino-driven wind ( $S \propto M/R$ )



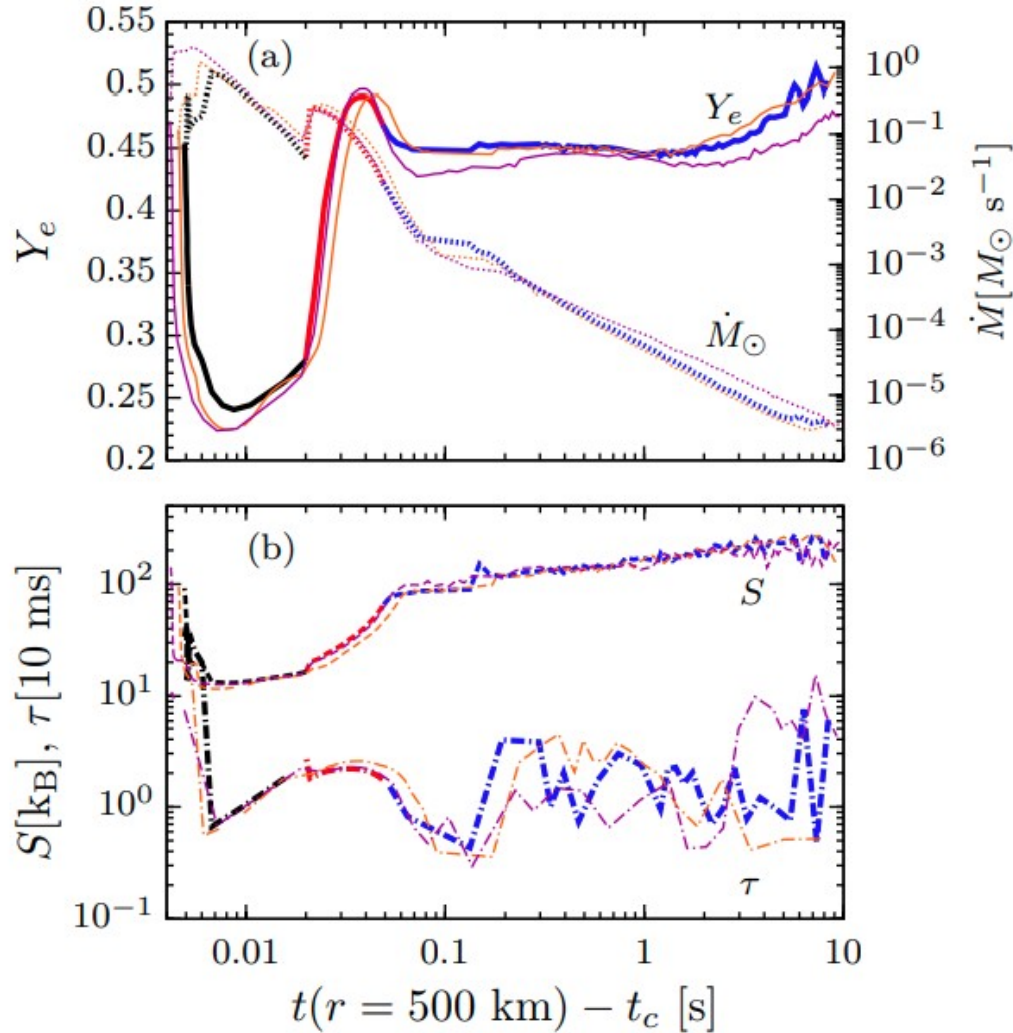
[Fischer+ 2020]



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# Ejecta & nucleosynthesis in PTSNe



direct ejecta: low  $Y_e$  & entropy

intermediate

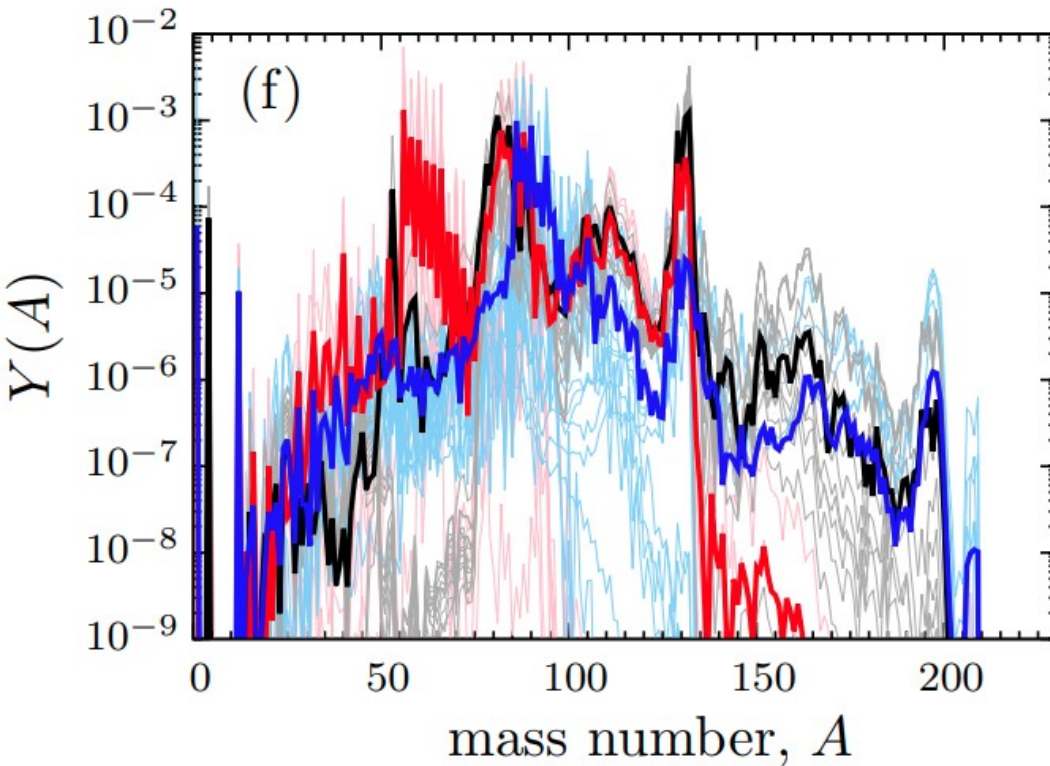


$\nu$ -driven wind: high  $Y_e$  & entropy

similar results obtained for  
different progenitor masses

( $35M_\odot$ ,  $40M_\odot$ ,  $50M_\odot$ )

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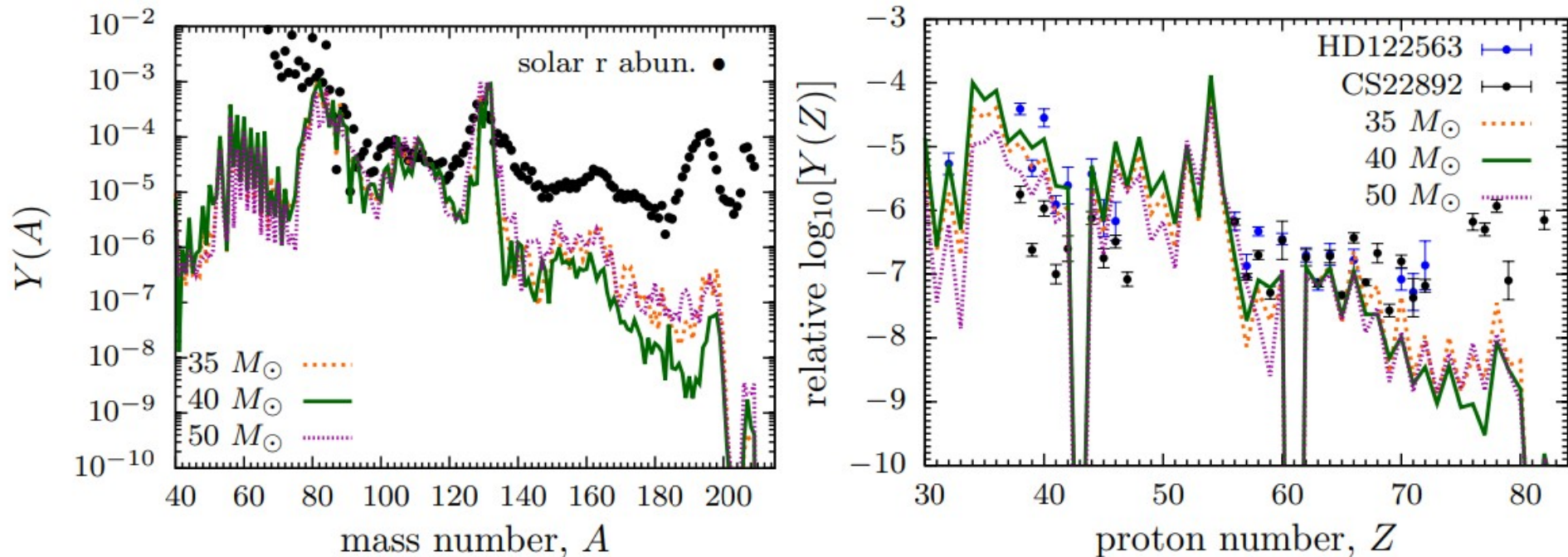
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## Integrated nucleosynthesis yields

The integrated nucleosynthesis yields from all components produce reduced amount of third-peak nuclei relative to the second-peak, when compared to the Solar  $r$  abundances.

However, the yields may possibly account for the metal-poor stars that show the “weak”  $r$ -process patterns



[Fischer+ 2020]

(The produced ratio of  $^{244}\text{Pu}$  to  $^{60}\text{Fe}$  are also broadly consistent with very recent deep-sea measurement)

## Summary

- A hadron-quark phase transition may be possible at supra-nuclear density.
- This may happen during the collapse of massive stars of  $\sim 40 - 50 M_{\odot}$  failed to be powered by  $\nu$ -driven mechanism, and can result in a strong explosion, leave behind a  $\sim 2 M_{\odot}$  hybrid star.
- Such an explosion will produce a millisecond neutrino burst detectable if happened in the Milky Way.
- It can potentially power a variety of supernova lightcurves, ranging from  $\sim$  of SN1987a to superluminous SNe, depending on the pre-supernova mass ejection history.
- It can generate the condition suitable for the  $r$ -process nucleosynthesis as a potential source to explain some metal-poor star abundances.