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Kobayashi T.

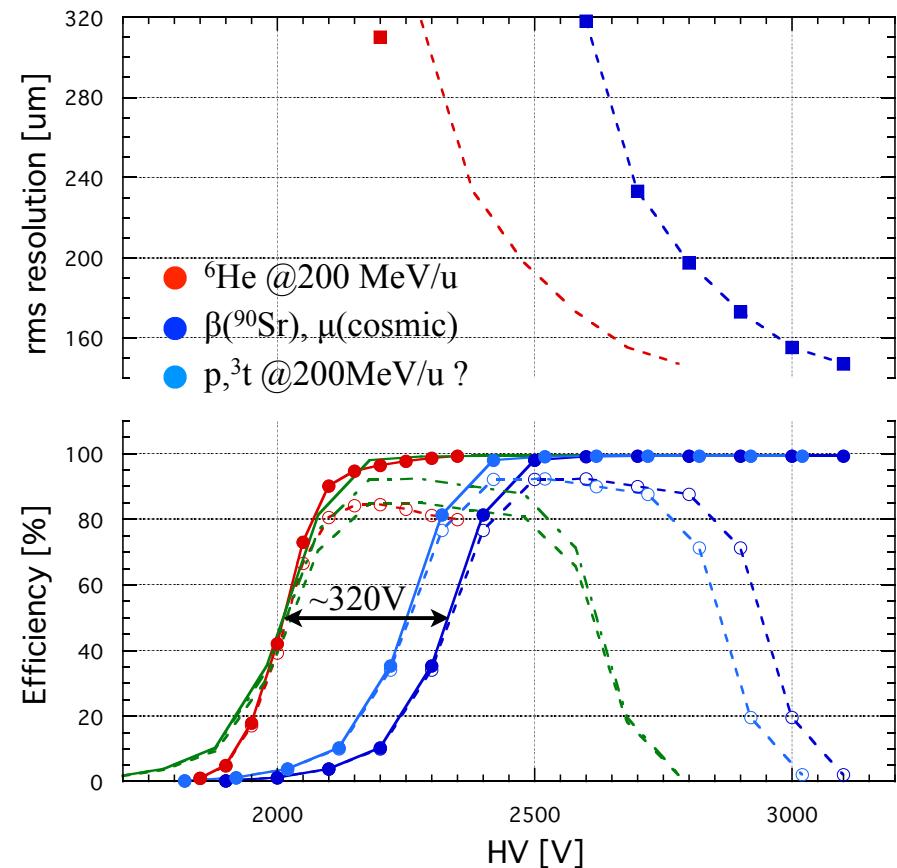
Memo
on
Z=1 & 2 detection in FDC2
for S19 & S34

- ^{18}O campaign
 - S19
 - α & p in FDC2 (if possible without using PDC's)
 - S34
 - t in FDC2
 - in both experiments : no ^8He beams in FDC2
- Gas
 - "heavy particles" in April/May runs : He + 60% CH₄ + 2-propanol
 - "light particle" in June/July runs : Ar + 20% CH₄ + 2-propanol
 - gas exchange will be started right after Seaster run
- Status/Histiry
 - efficiency & resolution have been studied using FDC2-prototype (FDC2P)
 - We had no experience to detect Z=1 in FDC2
 - FDC2 has higher (HV) noise compared to FDC2P above ~ 2.3 kV
 - Due to high (HV) noise above ~ 2.3 kV, we have not tried FDC2 tuning for Z=1 ($\sim 2\times\text{MIP}$).
- Try to get estimate on Z=1 & 2 detection in FDC2
 - using Ar + 20% CH₄ + 2-propanol (P20)
 - combining existing data from FDC2 & FDC2P
 - get rough estimate on the efficiency & resolution

Estimation from existing data

- Conditions
 - gas : Ar + 20% CH₄ + 2-propanol (P20)
 - V_{th}(ASD)= 0.8 V
 - cf: $\Delta HV(\Delta G \sim 2) \sim 80$ V from ASD V_{th} dep.
- Estimation from existing data
 - FDC2P: β -ray (⁹⁰Sr) & cosmic μ : $\Delta E = \Delta E_{MIP}$
 - FDC2: ⁶He @200MeV/u : $\Delta E \sim 8 \times \Delta E_{MIP}$
- $\Delta HV(\beta\text{-He}) \sim 320$ V
 - $\Delta HV(\Delta G \sim 8) \sim 240$ V from $\Delta HV(\Delta G=2) \sim 80$ V
 - (slightly) inconsistent ?
- HV for Z=1 & 2 @200MeV/u ?
 - HV_{est}= 2.4~2.5 KV
 - optimization necessary
 - maximizing $\epsilon_{M2}(z=2)$
 - minimizing $\epsilon_{tot}(z=1)$
 - efficiency
 - $\epsilon_{tot}(z=1) > 95\%$?
 - $\epsilon_{M1}(z=2) < 60\%$?
 - resolution (/plane)
 - $\sigma(z=1) > 300$ um ?

→ estimate ● FDC2: p, ³t @200MeV/u :
 $\Delta E \sim 2 \times \Delta E_{MIP}$



FDC2 tracking resolution

- $\sigma = 300 \mu\text{m}$ (/plane) in six X-planes of FDC2 : assumed
 - (w/o including multiple scattering)
 - $\sigma_x(@\text{FDC2 center}) \sim 130 \mu\text{m}$
 - $\sigma_\theta(\text{FDC2}) \sim 5 \text{ mrad}$
 - cf: multiple scattering for 200 MeV proton
 - $L_R(P20) \sim 127 \text{ m}$
 - $L/L_R(\text{FDC2 gas}) \sim 7 \times 10^{-3}$
 - $\sigma_\theta(\text{FDC2 gas}) \sim 2.5 \text{ mrad}$

- Energy loss in P20

particle	energy	ΔE	ratio1	ratio2
MIP	MIP	1.0		
p	200MeV	2.07	1.0	
p	400MeV	1.42		1.0
α	200MeV/u	8.30	4.0	
α	55MeV/u	20.9		14.7

- $\Delta E(\alpha \text{ 55MeV/u})/\Delta E(p \text{ 400MeV}) \sim 15 \gg \Delta E(\alpha \text{ 200MeV/u})/\Delta E(p \text{ 200MeV}) \sim 4$
 - $\varepsilon(M2)$ decreases rapidly mostly due to δ -rays
 - low energy α may produce less high-energy δ -rays
 - If 400MeV p & 55MeV/u α detection is necessary in FDC2, fine tuning of HV is necessary
 - 55MeV/u $^4\text{He} \leftarrow$ energy-degraded ^8He
 - 400 MeV p \leftarrow (high energy) ^3t ?

- Detection of z=1 & z=2 in FDC2
 - fine tuning (optimization) between 2.3 kV ~ 2.6 kV necessary
 - minimizing $\epsilon_{M2}(z=2)$
 - maximizing $\epsilon_{tot}(z=1)$
 - prefer to have 3t beam calibration run in addition to 8He beam
 - After the optimization, it is probably possible to get
 - z=1 : $\epsilon_{tot}(z=1) > 95\%$, $\sigma(z=1) < 350 \mu m$
 - z=2 : $\epsilon_{M1}(z=2) > 50\%$
 - S19
 - detection of both p & 4He in FDC2
 - S34
 - detection of 3t in FDC2