

New complex G-matrix interactions and application to proton-nucleus scattering

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Introduction

We have tried to apply to nucleus-nucleus reactions
- by the microscopic complex double folding model
with complex G-matrix interaction.
⇒ the unstable nucleus reactions

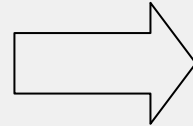
But, it is not appropriate to use the complex G-matrix interactions published so far
- the problem of **local density approximation**
in the microscopic double folding model.
⇒ we make the **new complex G-matrix interaction**

First step

we introduce to apply to the proton-nucleus elastic scattering
with **new complex G-matrix interaction**.

New complex G-matrix interaction

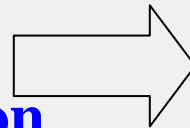
「CEG2007」 (tentative)
**new complex G-matrix
interaction**



ESC (Extended Soft-Core)
N-N potential (modern)

- up to higher density region
- Three body repulsive force
- up to g -wave ($\ell \leq 4$)

「(old) CEG」
**one of the most reliable
complex G-matrix interaction
published so far**



HJ N-N potential

- up to normal density
- no three body force
- up to d -wave ($\ell \leq 2$)

N.Yamaguchi, S.Nagata, T.Matsuda, *Prog.Theor.Phys.*70, 459 (1983)

N.Yamaguchi, S.Nagata, J.Michiyama, *Prog.Theor.Phys.*76, 1289 (1986)

Single folding Potential (Central part)

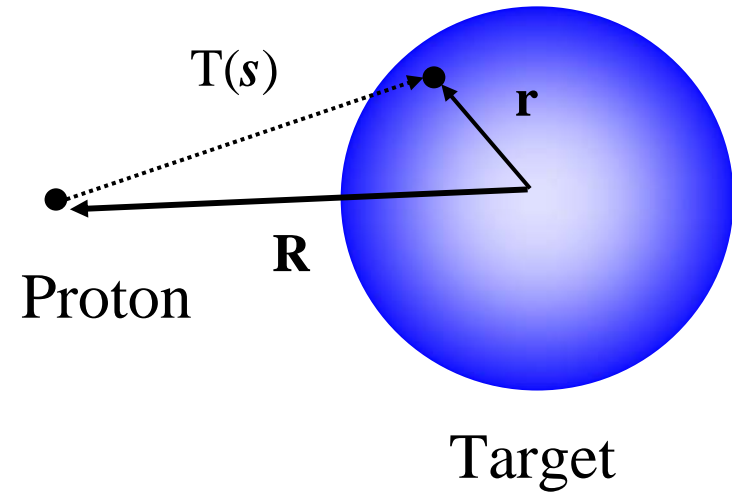
$$U(\mathbf{R}) = V(\mathbf{R}) + iW(\mathbf{R})$$

$$U(\mathbf{R}) = \int \rho(\mathbf{r}) T_D(\mathbf{R}, \mathbf{r}; k_F, E) d\mathbf{r}$$

$$+ \int \rho(\mathbf{R}, \mathbf{r}') T_{EX}(\mathbf{R}, \mathbf{r}'; k_F, E) \exp(i\mathbf{k}_0 \cdot \mathbf{s}) d\mathbf{r}'$$

$$\left\{ \begin{array}{l} T_{D,EX}^{ST} = \frac{1}{4} (t^{01} \pm 3t^{11}) \quad ; (\text{p-p}) \end{array} \right.$$

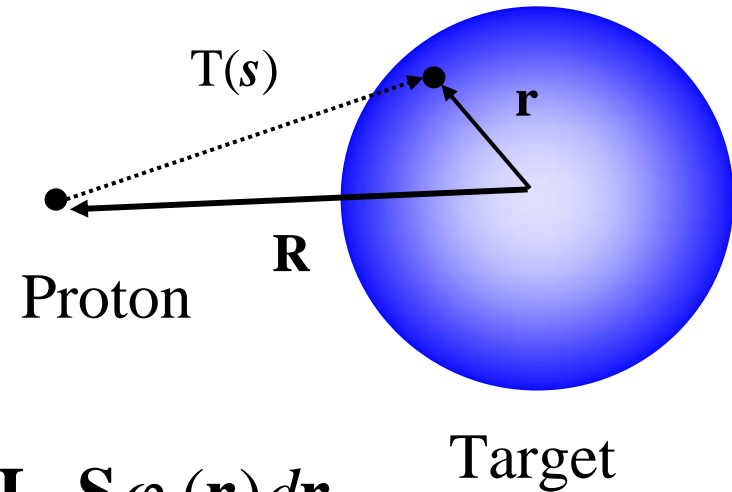
$$\left\{ \begin{array}{l} T_{D,EX}^{ST} = \frac{1}{8} (\pm t^{00} + t^{01} + 3t^{10} \pm 3t^{11}) \quad ; (\text{p-n}) \end{array} \right.$$



Complex G-matrix interaction

$$t^{ST}(s; k_F, E) = t_{real}^{ST}(s; k_F, E) + it_{imag}^{ST}(s; k_F, E)$$

Single folding Potential (LS part)



$$U_{LS}(\mathbf{R}) = V_{LS}(\mathbf{R}) + iW_{LS}(\mathbf{R})$$

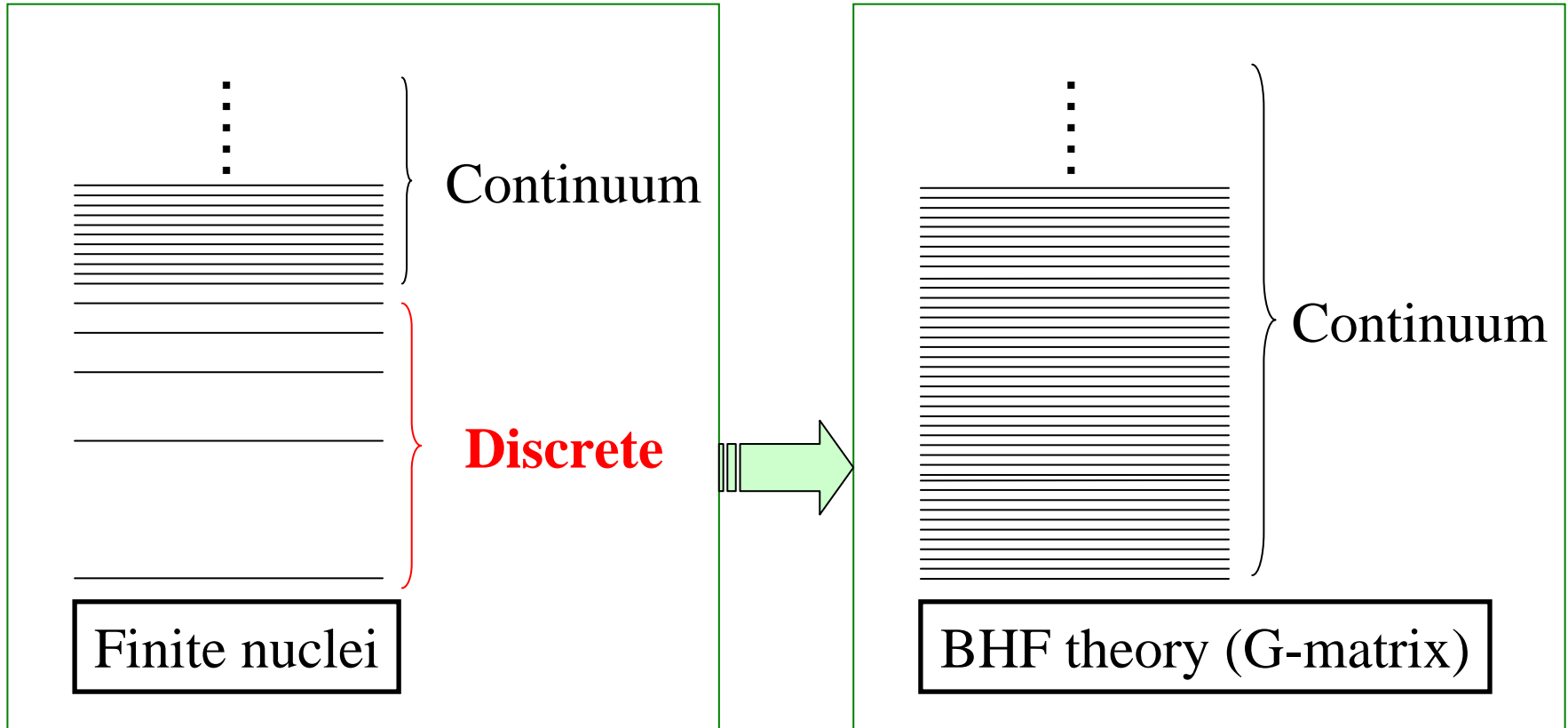
$$U_{LS}(\mathbf{R})\ell \cdot \sigma = \sum_i \int \varphi_i^*(\mathbf{r}) T_D(\mathbf{R}, \mathbf{r}; k_F, E) \mathbf{L} \cdot \mathbf{S} \varphi_i(\mathbf{r}) d\mathbf{r} \\ + \sum_i \int \varphi_i^*(\mathbf{r}') T_{EX}(\mathbf{R}, \mathbf{r}'; k_F, E) \mathbf{L} \cdot \mathbf{S} \varphi_i(\mathbf{R}) \exp(i\mathbf{k}_0 \cdot \mathbf{s}) d\mathbf{r}'$$

$$\begin{cases} T_{D,EX}^{ST} = \pm t^{11} & ; (\text{p-p}) \\ T_{D,EX}^{p-n} = \frac{1}{2} (t^{10} \pm t^{11}) & ; (\text{p-n}) \end{cases}$$

Complex G-matrix interaction

$$t_{LS}^{ST}(s; k_F, E) = t_{real}^{ST}(s; k_F, E) + it_{imag}^{ST}(s; k_F, E)$$

Renormalization of the **imaginary** part strength

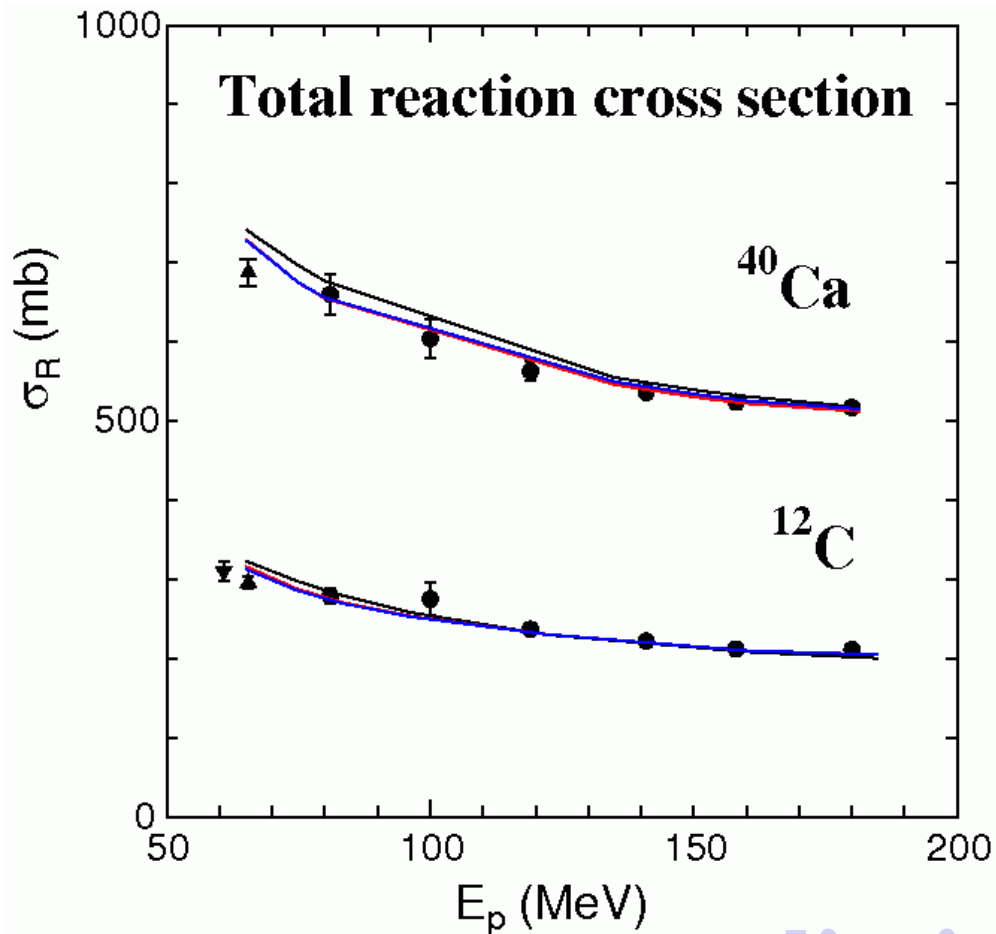


So, we renormalize (**suppress**) the **imaginary part** strength

$$V(\mathbf{R}) + \underline{iN_W} W(\mathbf{R}) + (V_{LS}(\mathbf{R}) + iW_{LS}(\mathbf{R}))\ell \cdot \sigma$$

Renormalized factor N_W is fixed to reproduce
measured total reaction cross sections

$$V(\mathbf{R}) + \underline{iN_W}W(\mathbf{R}) + (V_{LS}(\mathbf{R}) + iW_{LS}(\mathbf{R}))\ell \cdot \sigma$$



old CEG

$$\rightarrow N_W = 0.8$$

CEG2007

$$\rightarrow N_W = 0.75$$

CEG2007

(No three body force)

$$\rightarrow N_W = 0.7$$

preliminary

CEG vs. CEG2007

CEG2007

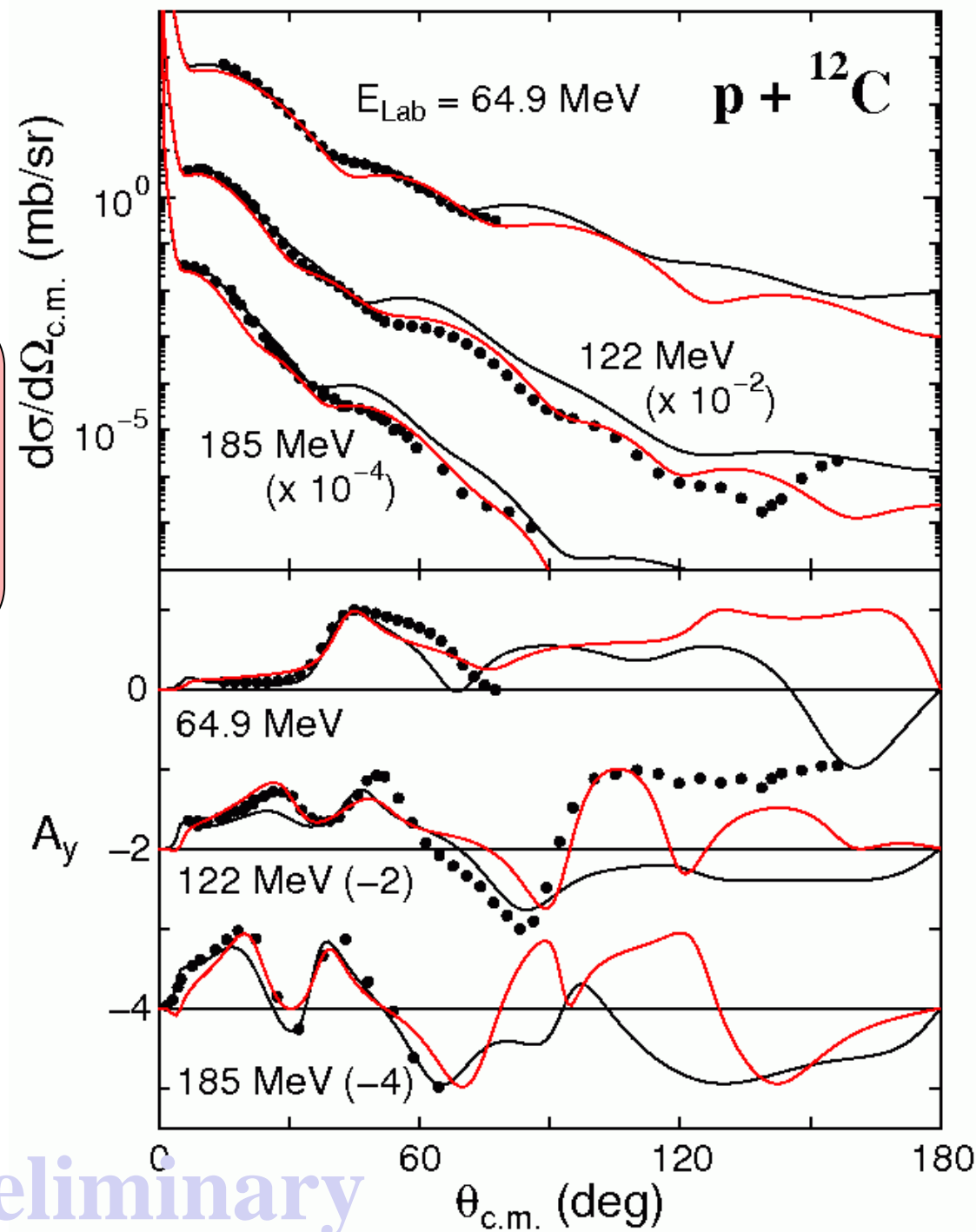
ESC NN potential

- up to higher density region
- Three body repulsive force
- up to g -wave ($\ell \leq 4$)

old CEG

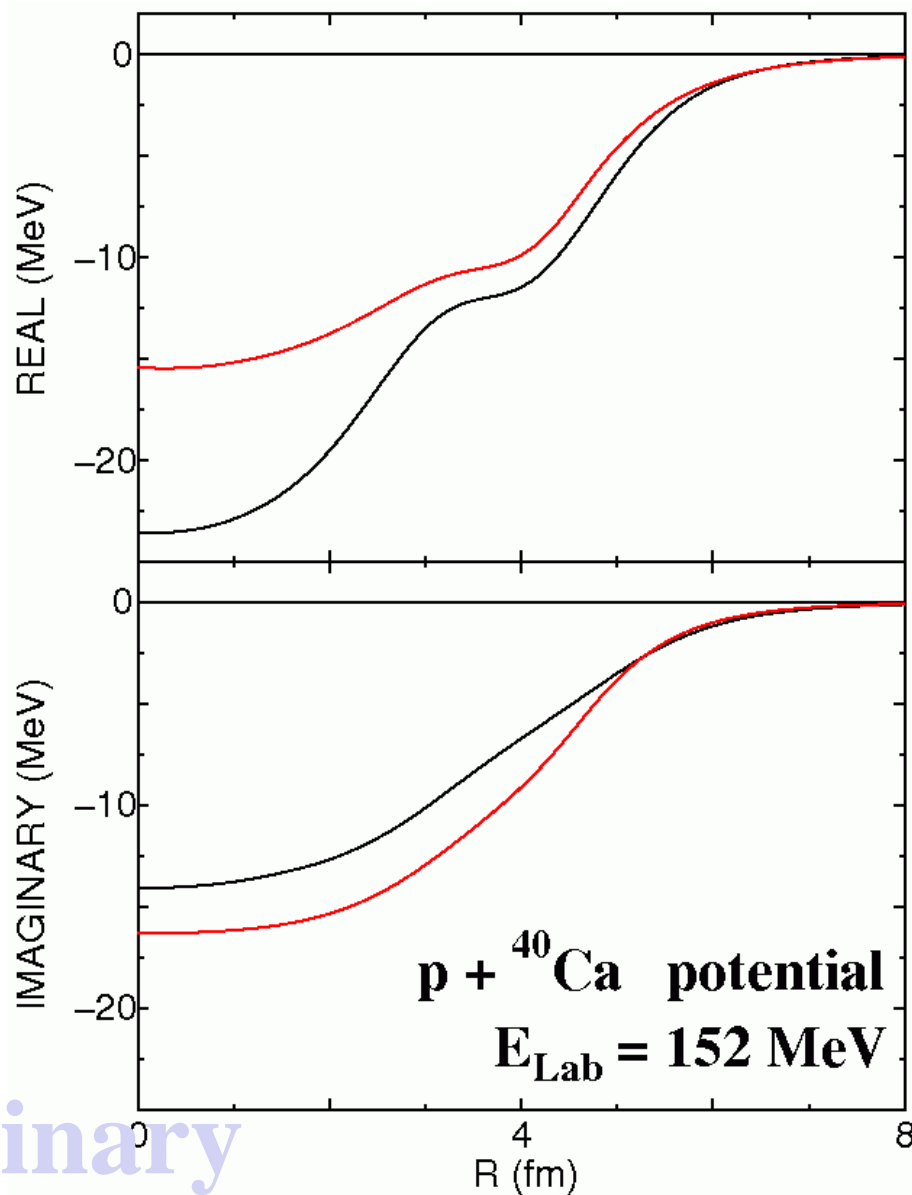
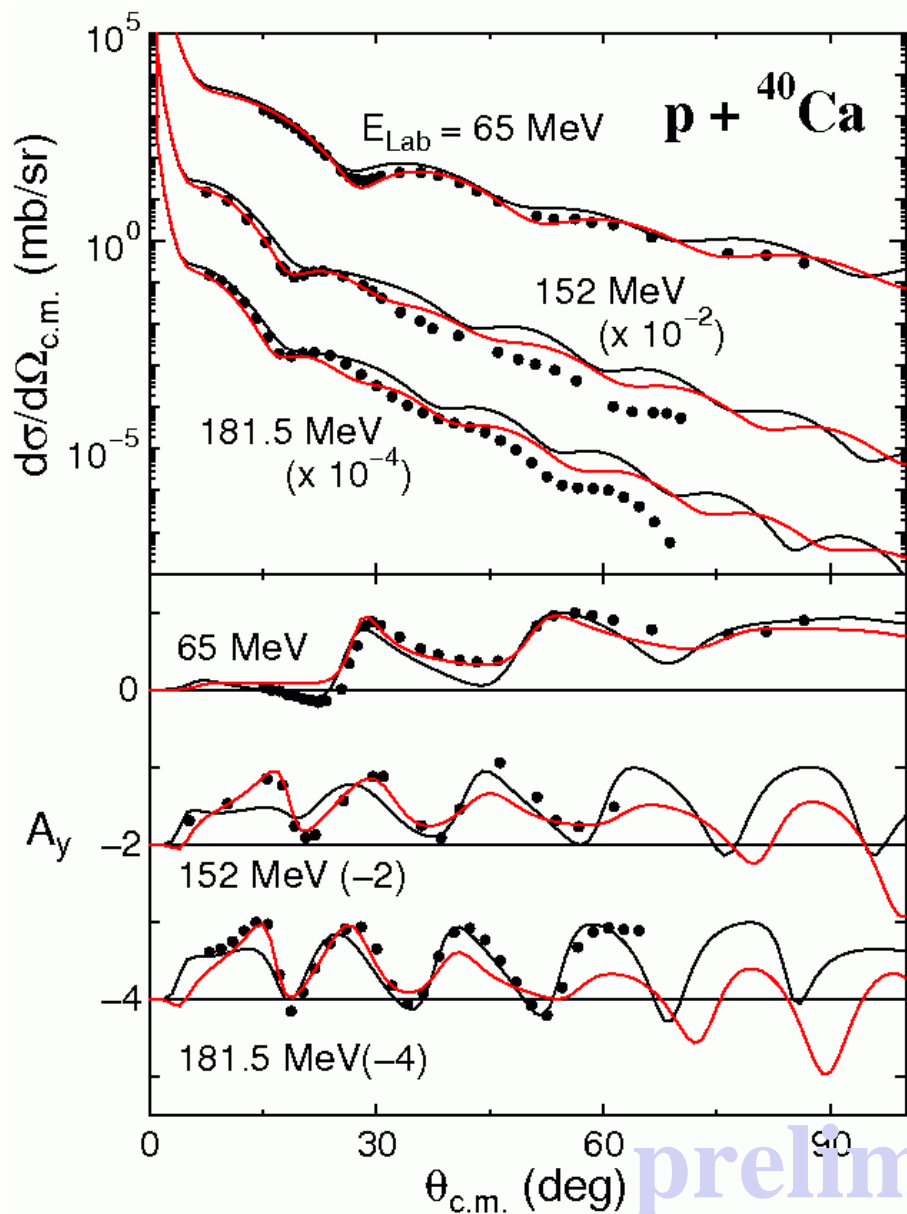
HJ NN potential

- up to normal density
- no three body force
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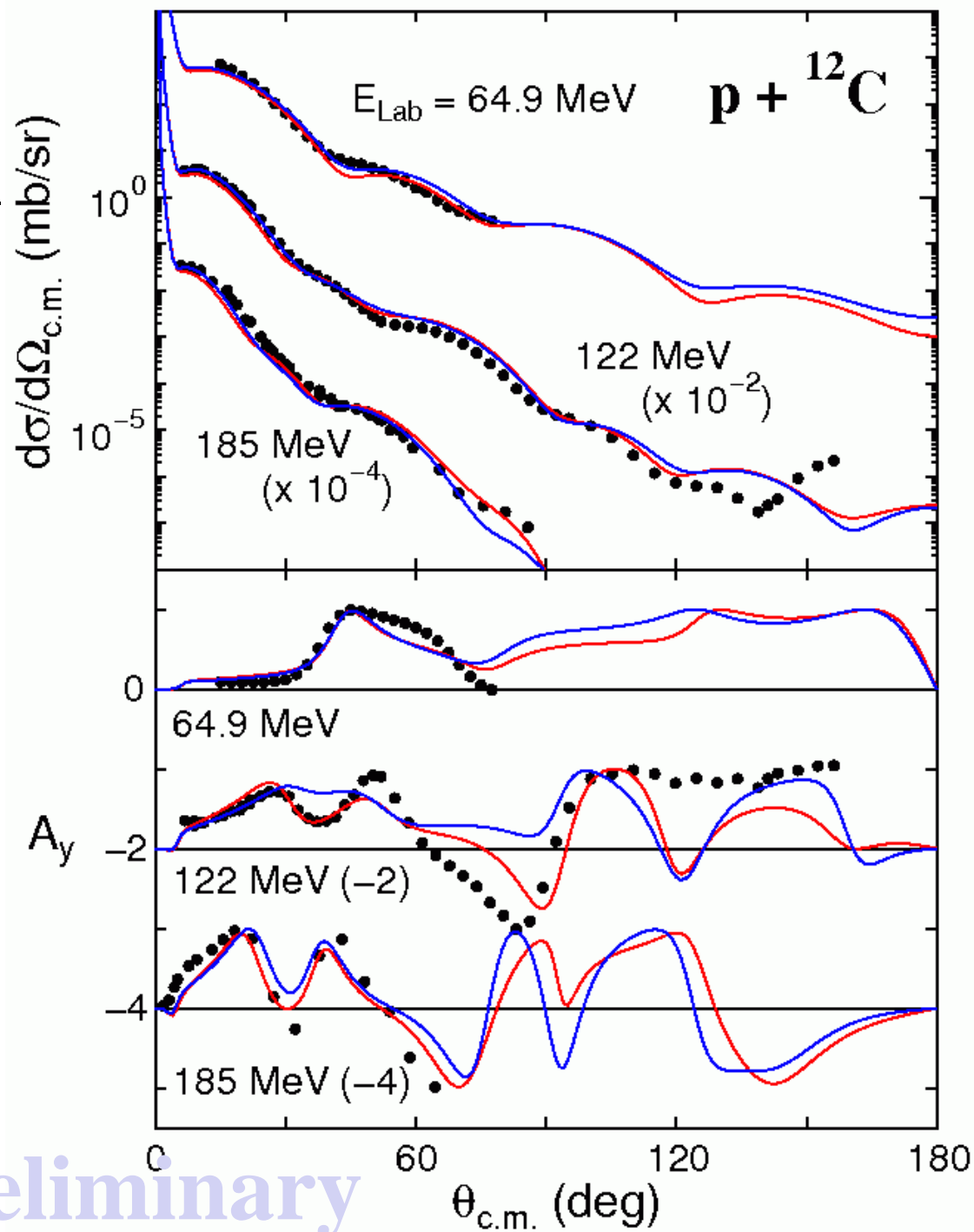
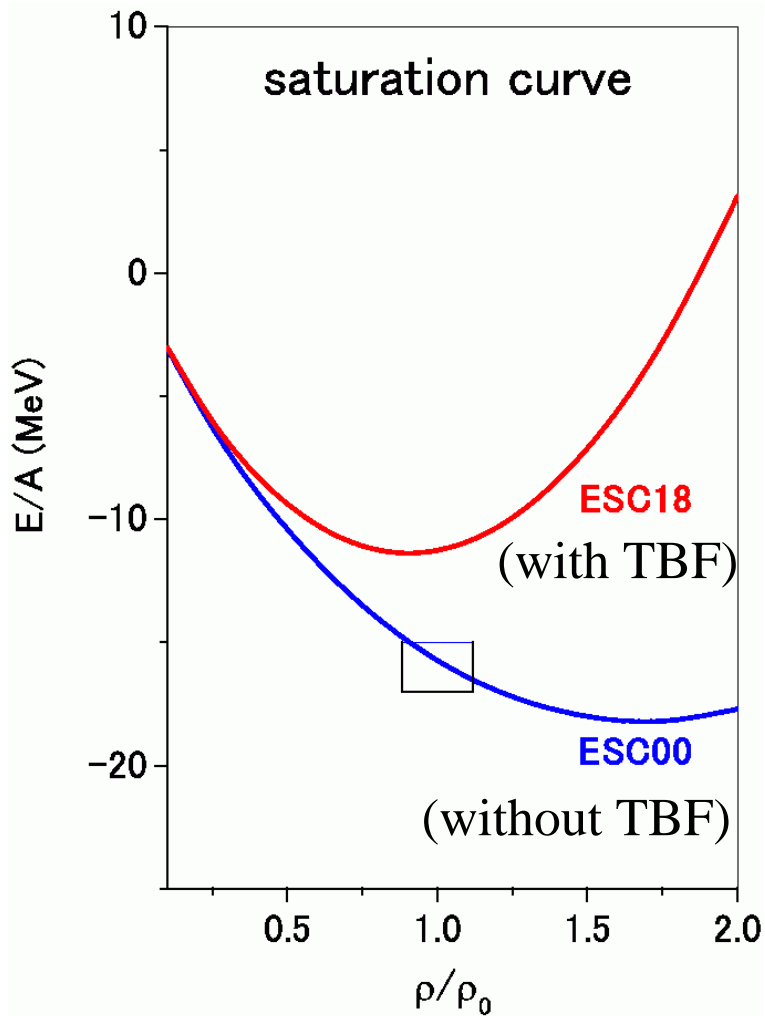
old CEG vs. **CEG2007**

CEG2007
CEG (old)



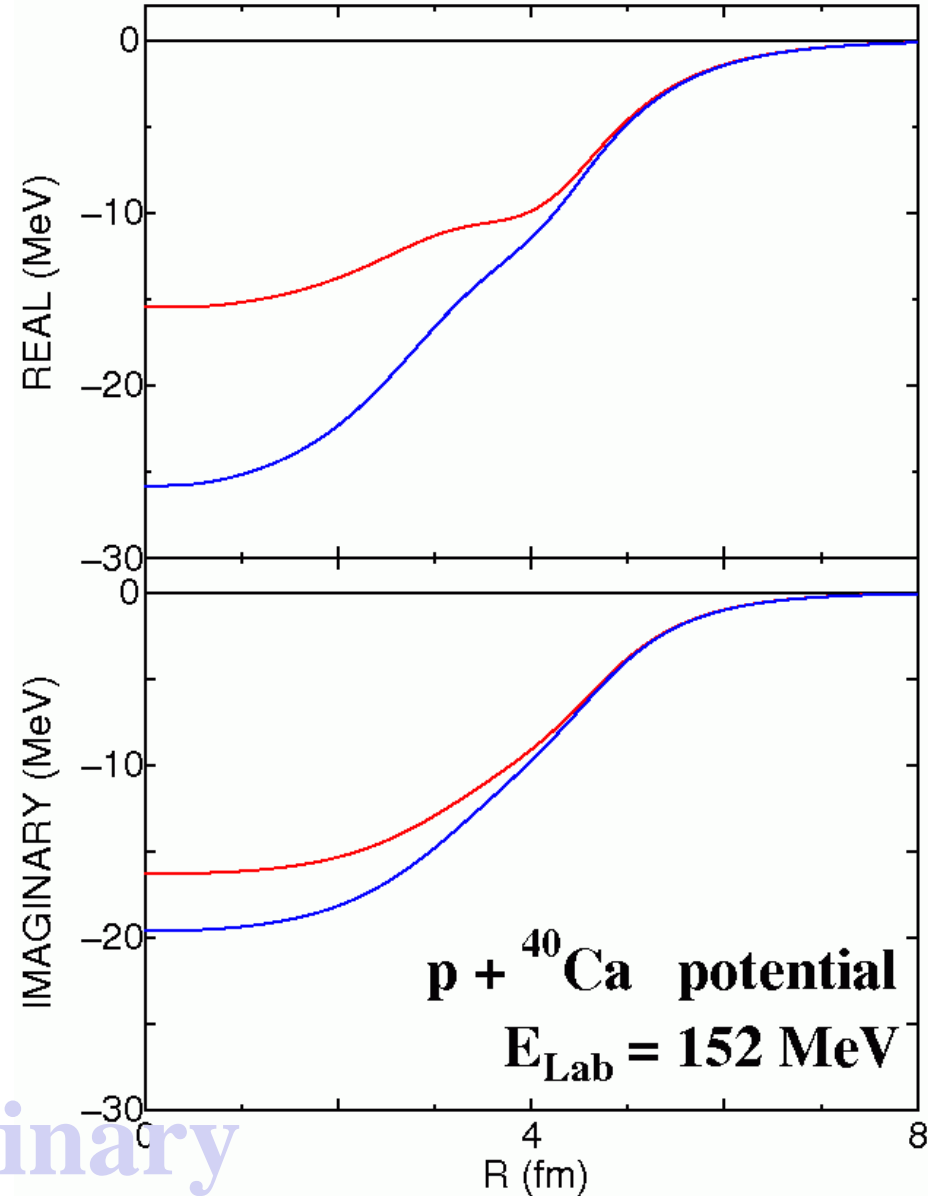
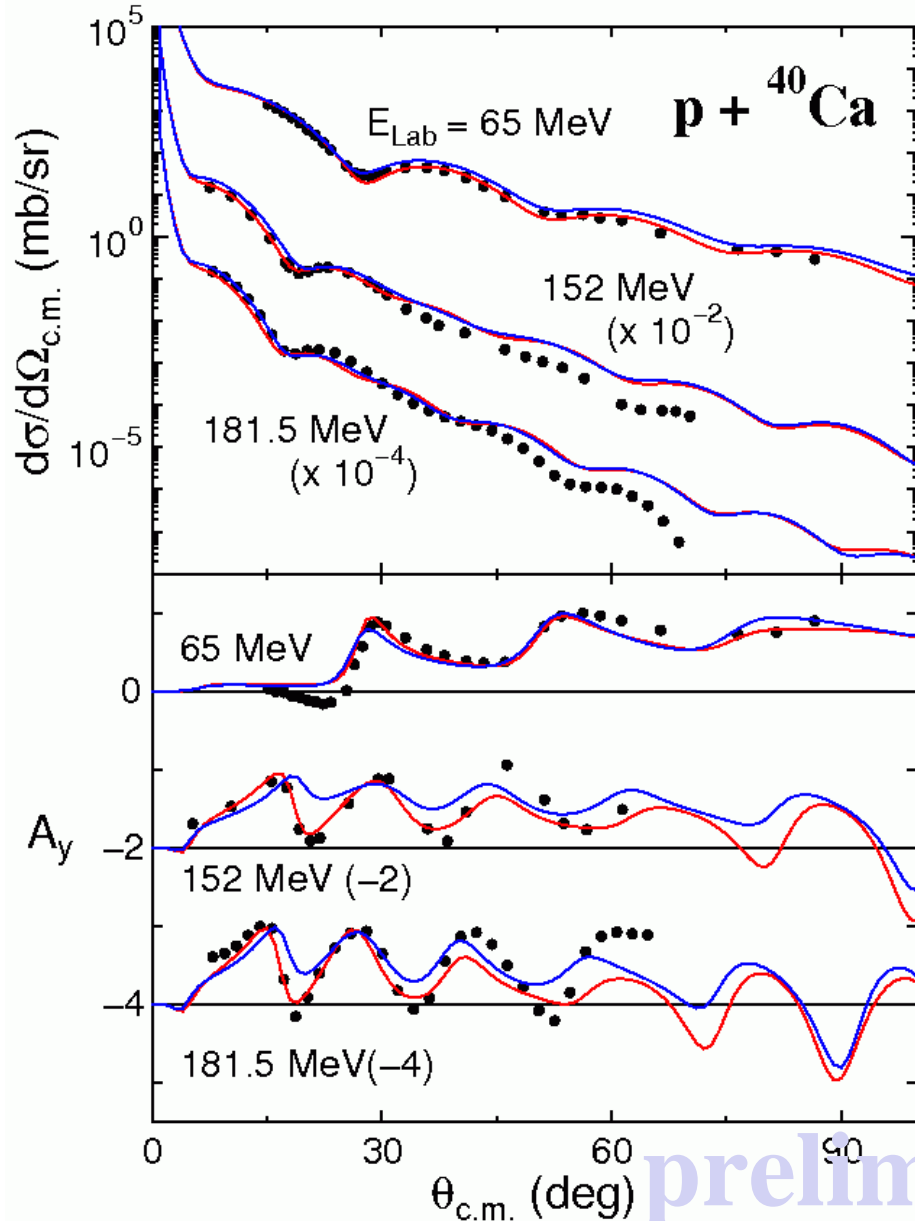
preliminary

The effect of three body force (TBF)



The effect of three body force (TBF)

— (with TBF)
— (without TBF)



preliminary

Summary : CEG2007 vs. old CEG

- We have proposed a new complex G-matrix (“CEG2007”),
 - use ESC(extended soft-core) NN force
 - include three-body force (TBF) effect
 - & higher partial wave contribution ($\ell \leq 4$)
- **CEG2007** is successful for proton-nucleus elastic scattering
 - reproduce cross section/analyzing power data up to the most backward angles.
 - imaginary strength has been renormalized ($\sim 25\%$) and fixed so as to reproduce observed total reaction cross section data
- **CEG2007** is apparently better than **old CEG**, mainly due to
 - three-body force effect (particularly in **analyzing power**)
 - higher partial wave contribution (for higher-energy scattering)